

UNIVERSITY OF GLASGOW

PARTICLE PHYSICS EXPERIMENTAL

Ph.D Thesis

Author:
Stephen OGILVY

Supervisors:
Dr. Lars EKLUND
Dr. Paul SOLER

December 19, 2014

Abstract

LHCb is the dedicated heavy flavour experiment on the LHC accelerator ring. An analysis measuring the relative branching fractions of $\Lambda_c^+ \rightarrow phh'$ decays, where $hh' \in \{K^-\pi^+, K^-K^+, \pi^-\pi^+, \pi^-K^+\}$, is presented using $1024.8 \pm 35.9 \text{ pb}^{-1}$ of pp collisions gathered during 2011. This includes a search for the unobserved decay mode $\Lambda_c^+ \rightarrow p\pi^-K^+$. LHCb's software-based detector alignment utilises a track χ^2 minimisation approach, which is susceptible to so-called “weak modes” of misalignments. A study of the effects on physics analyses of weak mode misalignment in the LHCb's vertex locator (VELO) is presented, with a strategy for their constraint. Charged hadron discrimination in LHCb is provided by two ring imaging Cherenkov detectors (RICH detectors). A data-driven study on the performance of the aerogel Cherenkov radiator is presented. Particle identification information is used to construct variables describing the likelihood of hadronic particle hypotheses of reconstructed tracks, on which cuts are placed in typical physics analyses. The preparation of new data samples allowing for the data-driven efficiency correction of particle identification cuts on proton tracks is described.

Contents

1	$\Lambda_c^+ \rightarrow phh'$ relative branching fractions	2
1.1	Introduction	2
1.2	Data and processing	3
1.2.1	LHCb data set	3
1.2.2	Monte Carlo samples	3
1.3	Selection	4
1.3.1	Stripping and trigger of prompt data	5
1.3.2	Stripping and trigger of semileptonic data	7
1.3.3	Offline selection	9
1.3.4	Mass spectra	18
1.4	Prompt backgrounds	22
1.4.1	$D_s^+ \rightarrow hhh/D^+ \rightarrow hhh$ mis-reconstructions	22
1.4.2	Mis-ID in Λ_c decays	32
1.4.3	Reassigning mass hypotheses in data	34
1.4.4	Summary	34
1.5	Semileptonic backgrounds	36
1.5.1	Mis-ID in Λ_c decays	36
1.5.2	Reassigning mass hypotheses in data	37
1.5.3	Summary	37
	References	39

Chapter 1

$\Lambda_c^+ \rightarrow phh'$ relative branching fractions

1.1 Introduction

The Λ_c is a charmed baryon of mass 2286.46 ± 0.14 MeV [1]. The decays of charmed baryons can be used to study colour suppression of W^+ exchange diagrams. Table 1.1 reproduces the current knowledge of the relative branching ratios of $\Lambda_c^+ \rightarrow phh'$ decays, where $hh' \in \{K^-\pi^+, K^-K^+, \pi^-\pi^+, \pi^-K^+\}$, as collected by the Particle Data Group (PDG) [1]. In 2011, LHCb collected significantly larger samples of the three hitherto observed Λ_c decays than those gathered in previous measurements.

The candidate led an analysis to measure the branching fractions of Λ_c to a proton and two charged hadrons, without hyperon mediation. The aim of the analysis was to measure the branching ratios of the three suppressed modes with respect to the Cabibbo-favored (CF) mode $\Lambda_c^+ \rightarrow pK^-\pi^+$ with the best statistical precision to date. This goal entails the first observation of the doubly Cabibbo-suppressed (DCS) decay mode $\Lambda_c^+ \rightarrow p\pi^-K^+$. This search was conducted blindly by remaining ignorant of all $\Lambda_c^+ \rightarrow p\pi^-K^+$ candidates reconstructed with a mass within ± 25 MeV of the world-average Λ_c^+ mass until the analysis procedure was finalised.

The need to finalise the analysis procedure prior to unblinding the DCS mode requires the analysis procedure to be developed utilising control modes. The singly-Cabibbo suppressed (SCS) modes $\Lambda_c^+ \rightarrow pK^-K^+$ and $\Lambda_c^+ \rightarrow p\pi^-\pi^+$ are good candidates for control modes, however, as indicated in Table 1.1, the relative branching fractions of these modes are known with poor precision. We worked to obtain the requisite confidence in our analysis methods by simultaneously examining samples of $\Lambda_c^+ \rightarrow phh'$ decays where the Λ_c is produced at the primary interaction vertex (PV) and where it is produced in semileptonic Λ_b^0 decays. The two samples are statistically independent and have different production, triggering, and selection mechanisms. By obtaining consistent relative branching ratios for the SCS modes with respect to the CF mode in these two independent samples we could be sufficiently confident that our methods will yield accurate results with the DCS mode.

In this thesis, Chapter 1 outlines the datasets and simulated samples used, the selection of candidates and the investigation of peaking backgrounds. Chapter ?? then outlines the efficiency corrections and yield extractions in the analyses. Chapter ?? then provides the

Mode	BF	Refs	Note
$\Lambda_c^+ \rightarrow pK^- \pi^+$	$(5.0 \pm 1.3) \times 10^{-2}$	[2–4]	Derived from $\mathcal{B}(\bar{B} \rightarrow \Lambda_c^+ X)$
$\rightarrow p\bar{K}^*(892)^0$	$(1.6 \pm 0.5) \times 10^{-2}$		Inclusive $\bar{K}^*(892)^0$
$\rightarrow \Delta(1232)^{++}K^-$	$(8.6 \pm 3.0) \times 10^{-3}$		
$\rightarrow \Lambda(1520)^0\pi^+$	$(1.8 \pm 0.6) \times 10^{-2}$		Inclusive $\Lambda(1520)^0$
$\rightarrow pK^- \pi^+$ nonresonant	$(2.8 \pm 0.8) \times 10^{-2}$		
$\Lambda_c^+ \rightarrow p\pi^- \pi^+$	$(3.5 \pm 2.0) \times 10^{-3}$	[5]	
$\rightarrow pf_0(980)$	$(2.8 \pm 1.9) \times 10^{-3}$		Inclusive $f_0(980)$
$\Lambda_c^+ \rightarrow pK^- K^+$	$(7.7 \pm 3.5) \times 10^{-4}$	[6, 7]	
$\rightarrow p\phi$	$(8.2 \pm 2.7) \times 10^{-4}$		Inclusive ϕ
$\rightarrow pK^- K^+$ non- ϕ	$(3.5 \pm 1.7) \times 10^{-4}$		
$\Lambda_c^+ \rightarrow p\pi^- K^+$	$< 2.3 \times 10^{-4}$	[8]	CL = 90%

Table 1.1: World-average branching fractions for $\Lambda_c^+ \rightarrow phh'$ decays as recorded in the 2012 PDG Review of Particle Properties [1]. Where noted, the PDG has adjusted the branching fractions for resonant decays to include all final states of the indicated resonances, not just the phh' final state of interest.

32 sources of systematic uncertainty in the analysis. We then give the methods utilised for
33 extracting confidence intervals for the yield of $\Lambda_c^+ \rightarrow p\pi^- K^+$ and gives the final branching
34 fraction results in the analysis.

35 1.2 Data and processing

36 1.2.1 LHCb data set

37 The measurements described here are based on $1024.8 \pm 35.9 \text{ pb}^{-1}$ of $\sqrt{s} = 7 \text{ TeV}$ $p - p$
38 collisions observed with the full LHCb detector [9]. The data was collected throughout
39 2011 under varying beam, detector, and trigger conditions. We use all of the available
40 data that has been marked OK by data quality checks. For the prompt analysis, we find
41 $588.2 \pm 20.6 \text{ pb}^{-1}$ with the magnet polarity down (MagDown) and $435.7 \pm 15.2 \text{ pb}^{-1}$ for
42 the magnet polarity up (MagUp). For the SL analysis, we find $589.4 \pm 20.6 \text{ pb}^{-1}$ for the
43 MagDown polarity and $435.5 \pm 15.2 \text{ pb}^{-1}$ for the MagUp polarity.

44 1.2.2 Monte Carlo samples

45 We use Monte Carlo (MC) events from the LHCb full event and detector simulation for
46 signal and background studies and to estimate reconstruction and selection efficiencies. To
47 replicate the selections applied to the real data we use modified versions of the stripping
48 selections which have all PID selection criteria removed, such that the PID selection may
49 be replicated without reliance on the poorly modelled PID discriminants in the simulation.

50 All other selection criteria remain the same as those in the version of the stripping run on
 51 real data.

52 The simulation utilised in the analyses employ one of two generator-level cuts, applied
 53 at the EVTGEN level. These are:

54 **DaughtersInLHCb** - This requires all charged daughters in the generated decay to be
 55 produced in the range $0.01 \text{ rad} < \theta_{\text{charged}} < 0.4 \text{ rad}$ of the z -axis and all neutral
 56 daughters to be produced in the range $0.005 \text{ rad} < \theta_{\text{neutral}} < 0.4 \text{ rad}$ of the z -axis.

57 **LHCbAcceptance** - This requires the head particle/mother of the specified signal decay to
 58 be produced in the range $0 < \theta_{\text{signal}} < 0.4 \text{ rad}$ of the z -axis.

59 All generated MC samples utilise the **DaughtersInLHCb** cut, with the exception of the
 60 semileptonic CF $\Lambda_c^+ \rightarrow pK^-\pi^+$ which utilises the **LHCbAcceptance** cut.

61 The prompt $\Lambda_c^+ \rightarrow phh'$ MC samples were generated without a resonance structure.
 62 All decays in the simulation for both analyses proceed via. the PHSP EVTGEN decay
 63 model [10]. The generated decays accordingly populate the phase space uniformly. A
 64 fraction of the prompt MC events contain only Λ_c^+ produced in b -hadron decays. In order
 65 to ensure that the efficiencies computed from the prompt MC samples are well defined,
 66 we process these samples with a filter that retains only events that contain a promptly
 67 produced signal decay. The filter traces the ancestry of the generated signal Λ_c^+ . If any of
 68 its ancestors has a mean lifetime longer than 0.1 fs then it is classified as not-prompt.

69 The semileptonic simulation used for the CF mode $\Lambda_c^+ \rightarrow pK^-\pi^+$ include an admixture
 70 of pure phase-space and pseudo-resonance structure of the decay generated according to
 71 the following fragment of EvtGen code:

```

72      Decay MyLambda_c+
73      0.02800      p+      K-      pi+      PHSP;
74      0.01065      p+      Myanti-K*0    PHSP;
75      0.00860      Delta++ K-      PHSP;
76      0.00414      MyLambda(1520)0 pi+    PHSP;
77      Enddecay
78

```

79 The semileptonic samples of the SCS decays $\Lambda_c^+ \rightarrow pK^-K^+$ and $\Lambda_c^+ \rightarrow p\pi^-\pi^+$ also in-
 80 clude an admixture of pure phase-space and pseudo-resonance structure. In the sample used
 81 for $\Lambda_c^+ \rightarrow pK^-K^+$ 48.4% of the signal Λ_c^+ undergo a pure phase space decay $\Lambda_c^+ \rightarrow pK^-K^+$
 82 and the remaining 51.6% decay through an intermediate ϕ resonance, $\Lambda_c^+ \rightarrow p\phi(K^-K^+)$. In
 83 the sample used for $\Lambda_c^+ \rightarrow p\pi^-\pi^+$, 55.6% of the signal Λ_c^+ undergo a pure phase space decay
 84 $\Lambda_c^+ \rightarrow p\pi^-\pi^+$ and the remaining 44.4% decay through an intermediate $f_0(980)$ resonance,
 85 $\Lambda_c^+ \rightarrow pf_0(980)(\pi^-\pi^+)$.

86 1.3 Selection

87 Herein we outline the selection of candidate $\Lambda_c^+ \rightarrow phh'$ decays in the prompt and semilep-
 88 tonic analyses. Selection takes place at several levels: at the stripping, trigger and offline

89 selections. The central gathering of interesting decays is known as the “stripping” selection,
 90 and its purpose is to gather decays of interest in a general fashion, such that several
 91 different measurements may be performed using the same decay mode. In the central
 92 processing of data, the stripping lines have a finite bandwidth. They must therefore
 93 make an initial selection of the decays for general purpose which preserves as much signal
 94 as possible while keeping the retention of candidates within acceptable limits. A rigid
 95 selection of trigger requirements is enforced in this analysis such that the efficiency of
 96 the trigger selections can be reliably measured. Finally, a further selection is made to
 97 adapt the selection in the stripping for the specific needs of this analysis, called the “offline”
 98 selection. This includes a multi-variate selection for use in selecting the rare decays of
 99 $\Lambda_c^+ \rightarrow p\pi^-K^+$.

100 1.3.1 Stripping and trigger of prompt data

101 Stripping

102 The stripping selection reconstructs the general pattern $\Lambda_c^+ \rightarrow phh'$. Table 1.2 lists the
 103 selection criteria applied at the stripping level. The main goals of the selection are to
 104 preserve signal while vetoing combinatoric backgrounds and backgrounds from other charm
 105 decays. The multiplicity of LHCb events is high due to the hadronic production environ-
 106 ment. Consequently, cuts on the impact parameter (IP) of reconstructed heavy-flavour
 107 particles are often a useful discriminant in rejecting the large combinatoric backgrounds
 108 from unrelated tracks. Due to the short Λ_c lifetime (approximately 200 fs) relative to the
 109 D and B mesons, this approach provides less discriminatory power over the rejection of
 110 combinatorics.

111 We therefore utilise a suite of tight cuts on the momenta (p) and transverse momenta
 112 (p_T) of the candidate daughters. The requirement is made that all candidate daughters have
 113 a significant impact parameter with respect to the primary interaction. A cut is specifically
 114 placed upon the minimum daughter $IP\chi^2$, which is the increase in the associated primary
 115 vertex χ^2 when the daughter track is included in the primary vertex fit. PID selection is
 116 also employed at this stage to reduce the retention of the stripping line while vetoing a
 117 large number of candidates which are combinations of unrelated tracks. Requirements are
 118 made that the reconstructed tracks are of a high quality, specifically that the maximum
 119 normalised track χ^2 be below a given threshold and that the “Clone distance”, a quantity
 120 based on the Kullback-Liebler distance between tracks [11], must exceed a given value to
 121 remove clone tracks which do not share common hits.

122 All permutations of pairs of the daughter tracks should have a reconstructed distance
 123 of closest approach ($DoCA$) no greater than a maximum threshold. Requirements are
 124 placed on the Λ_c vertex quality and on the distance between the Λ_c decay vertex and the
 125 primary vertex. We require that the Λ_c candidate points back to the primary interaction
 126 by placing a minimum requirement on the cosine of the angle between the reconstructed
 127 Λ_c momentum and the displacement vector between the primary vertex and the Λ_c decay
 128 vertex, a quantity referred to as the $DIRA$. We require that the reconstructed candidate

129 has a computed lifetime below 1.2 ps, which preserves most Λ_c signal while vetoing
 130 significant amounts of meson decays which are misreconstructed. Finally we require the
 131 candidate mass to be within 90 MeV/ c^2 of the nominal PDG Λ_c mass.

	Variable name	Stripping
h^\pm	Track χ^2/N_{ndf}	< 5
	Clone distance	> 5000
	$IP \chi^2$	> 4, 8
	p_T	> 400, 1200 MeV/ c
	$ \vec{p} $	> 3.2 GeV/ c
p	$\log(\mathcal{L}_p/\mathcal{L}_\pi)$	> 5
K	$\log(\mathcal{L}_K/\mathcal{L}_\pi)$	> 5
π	$\log(\mathcal{L}_K/\mathcal{L}_\pi)$	< 0
$h_i h_j$	$DoCA$	< 0.10 mm
Λ_c^+	Vertex χ^2/N_{ndf}	< 20
	$VD \chi^2$	> 16
	$DIRA$	> 0.9999
	Proper time τ	$\in [0, 1.2]$ ps
	$ m_{phh'} - m_{\Lambda_c^+ \text{PDG}} $	< 90 MeV/ c^2

Table 1.2: Selection criteria for prompt $\Lambda_c^+ \rightarrow phh'$ candidates in the stripping selection. h denotes the pion, kaon, or proton product of a Λ_c^+ decay and is used to indicate cuts that are applied to all three. Where two values for the daughter h p_T lower limit are indicated, all three daughters are required to satisfy the looser cut and at least one of the daughters must satisfy the tighter cut. $h_i h_j$ denotes every pairing of the daughters.

132 Trigger

133 While a dedicated HLT2 trigger line operated in 2011 for the $\Lambda_c^+ \rightarrow pK^-\pi^+$ mode, there
 134 were no such lines for the prompt SCS and DCS Λ_c decays for 2011. In order to have
 135 a consistent trigger chain for the four modes we adopt the trigger requirement that the
 136 event was triggered independently of the Λ_c candidate, or Triggered Independently of
 137 Signal (TIS). The efficiencies of TIS chains are typically very low, but a TIS chain provides
 138 the benefit of trigger efficiency cancellation between the $\Lambda_c^+ \rightarrow phh'$ modes. The specific
 139 requirements are that any L0 trigger was fired independently of the Λ_c candidate, and that
 140 the event was triggered by at least one of a collection of physics analysis trigger algorithms
 141 in the HLT independently of the Λ_c candidate.

142 1.3.2 Stripping and trigger of semileptonic data

143 Stripping

144 Each of the stripping lines in the semileptonic analysis reconstruct candidates according
145 to the pattern $\Lambda_b^0 \rightarrow \Lambda_c^+ \mu^\pm$, $\Lambda_c^+ \rightarrow p h h'$. Table 1.3 lists the selection criteria applied at
146 the stripping level. The selection requirements on the $\Lambda_c^+ \rightarrow p h h'$ component of the
147 reconstruction are broadly similar to that used in the prompt analysis, but with looser
148 momentum requirements placed upon the daughters. The relaxation of these cuts is
149 possible due to the additional discrimination acquired from information on the Λ_b^0 decay.
150 The minimum requirement on the Λ_c daughter $IP\chi^2$ is raised, as the daughters of the
151 semileptonically-produced Λ_c decays have higher impact parameters than for daughters
152 of those Λ_c which are produced promptly at the primary interaction. Similar selection
153 criteria are applied to the reconstructed Λ_c candidates as are applied to those in the
154 prompt analysis.

155 Muon candidates are required to pass a series of track quality and kinematic require-
156 ments. The tracks are also required to have associated hits in all muon stations. The
157 Λ_c candidates and muon candidates together form Λ_b^0 candidates which are required to
158 form a common vertex which is significantly displaced in z from the primary vertex. The
159 Λ_b^0 candidate is also required to point back to the primary interaction. As the neutrino
160 in the decay is not reconstructed, the mass of the reconstructed $\Lambda_c \mu$ system is allowed
161 to be significantly lower than the Λ_b^0 nominal mass, with a permitted $m_{\Lambda_c \mu}$ range of
162 2.5 – 6.0 GeV/ c .

163 Trigger

164 For the semileptonic decays we use a trigger requirement that focuses on the muon in
165 the Λ_b^0 decay and thus reduces the relative bias on the Λ_c^+ decay phase space. The muon
166 in the Λ_b^0 decay is required to have triggered the L0 muon trigger for that event. The
167 Λ_b^0 candidate is required to have triggered at least one of a series of algorithms in the
168 HLT, designed to select decays of heavy-favour hadrons to final states including muons by
169 exploiting the decay topology.

	Variable name	Stripping
h^\pm	Track χ^2/N_{ndf}	< 4
	Clone distance	> 5000
	$IP \chi^2$	> 9
	p_T	> 300
	$ \vec{p} $	$> 2 \text{ GeV}/c$
p	$\log(\mathcal{L}_p/\mathcal{L}_\pi)$	> 4
	$\log(\mathcal{L}_p/\mathcal{L}_K)$	$> 10^{-10}$
K	$\log(\mathcal{L}_K/\mathcal{L}_\pi)$	> 4
π	$\log(\mathcal{L}_K/\mathcal{L}_\pi)$	< 10
π for $\Lambda_c^+ \rightarrow p\pi^-\pi^+$	$\log(\mathcal{L}_K/\mathcal{L}_\pi)$	< 0
$h_i h_j$	$DoCA \chi^2$	< 20
Λ_c^+	Vertex χ^2/N_{ndf}	< 6
	$p_{T_p} + p_{T_h} + p_{T_{h'}}$	$> 1800 \text{ MeV}/c$
	$VD \chi^2$	> 100
	$DIRA$	> 0.99
	$ m_{phh'} - m_{\Lambda_c^+ \text{PDG}} $	$< 80 \text{ MeV}/c^2$
μ	Track χ^2/N_{ndf}	< 4
	$IP \chi^2$	> 9
	p_T	$> 800 \text{ MeV}/c$
	$ \vec{p} $	$> 3 \text{ GeV}/c$
	$\log(\mathcal{L}_\mu/\mathcal{L}_\pi)$	> 0
Λ_b^0	Vertex χ^2/N_{ndf}	< 6
	$z_{\Lambda_c^+} - z_{\Lambda_b^0}$	$> -9999 \text{ mm}$
	$DIRA$	> 0.999
	$m_{\Lambda_c^+ \mu}$	$\in (2.5, 6) \text{ GeV}/c^2$

Table 1.3: Stripping selection criteria for the semileptonic $\Lambda_b^0 \rightarrow \Lambda_c^+ \mu^\pm$, $\Lambda_c^+ \rightarrow phh'$ candidates in the analysis. h denotes the pion, kaon, or proton product of a Λ_c^+ decay and is used to indicate cuts that are applied to all three. $h_i h_j$ denotes every pairing of the daughters.

1.3.3 Offline selection

The offline selection is designed to tailor the output of the general-purpose datasets from the stripping selection output and adopt the selection for the specific purposes of our analysis. All offline selections are trained using 10% of the $\Lambda_c^+ \rightarrow pK^-\pi^+$ data from each respective analysis. The *sPlots* method [12] is used to extract the signal and background distributions from the data. This data is then excluded from the remainder of the analysis, with an appropriate scaling factor included in the final branching fraction calculations. It is desirable to utilise the same offline cuts in the selection of all four modes for the cancellation of systematic uncertainties. The selections therefore are all trained to maximise sensitivity to the unobserved doubly-Cabibbo suppressed mode. To this end an additional global signal weighting of

$$\frac{|V_{us}|^2|V_{cd}|^2}{|V_{cs}|^2|V_{ud}|^2} \approx 0.003, \quad (1.1)$$

which is a crude indication of the expected relative rate of $\Lambda_c^+ \rightarrow p\pi^-K^+$ over $\Lambda_c^+ \rightarrow pK^-\pi^+$, was applied in the trainings. Examination of the sidebands of the Cabibbo-favoured and doubly-Cabibbo suppressed data indicate that the combinatoric background in the doubly-Cabibbo suppressed mode is approximately 33 % lower than that in the Cabibbo favoured mode, as shown in Figure 1.3. This is taken into account in the selection training by applying a global combinatoric background weight of 0.67.

The output from the stripping lines contain a high combinatoric component, which must be further reduced in order to accurately fit the mass distributions. The mass distributions at stripping level for the modes which are not blinded are shown in Figure 1.1 for the promptly selected candidates and Figure 1.2 for the semileptonically selected candidates. This necessitates the use of cuts on the PID variables to veto combinatorics from wrongly identified particles. Selection training has shown that PID DLL variables possess the greatest discrimination between signal and combinatoric background (compared to track/vertex quality, event kinematic info etc.). These are simultaneously optimised using the CROP tool, and performed in both the prompt and the semileptonic selections. The optimisations use the training figure of merit $S/\sqrt{S+B}$, where S and B are the sums of the signal and background weights respectively.

The efficiencies of some stages of the selection must be evaluated on an event-by-event basis. The stripping selection efficiency, for example, must be calculated by assigning a per-candidate local efficiency depending on the candidate's location in the phase space parameterising the resonant $\Lambda_c^+ \rightarrow phh'$ decay (see Section ??). The *sPlots* method is used for background subtraction in all yield extractions. In order to preserve the event weight normalisation, each selected Λ_c candidate must have daughter kinematics which correspond to a valid region of the decay phase space, such that a valid stripping efficiency may be assigned to the event.

To ensure each Λ_c candidate has valid daughter kinematics the DecayTreeFitter tool [13] is employed. In contrast to typical pattern reconstructions, which begin with the final daughters and work backwards to form parent particles, this tool simultaneously fits the entire decay chain using information on the momenta and vertex positions, and is able to

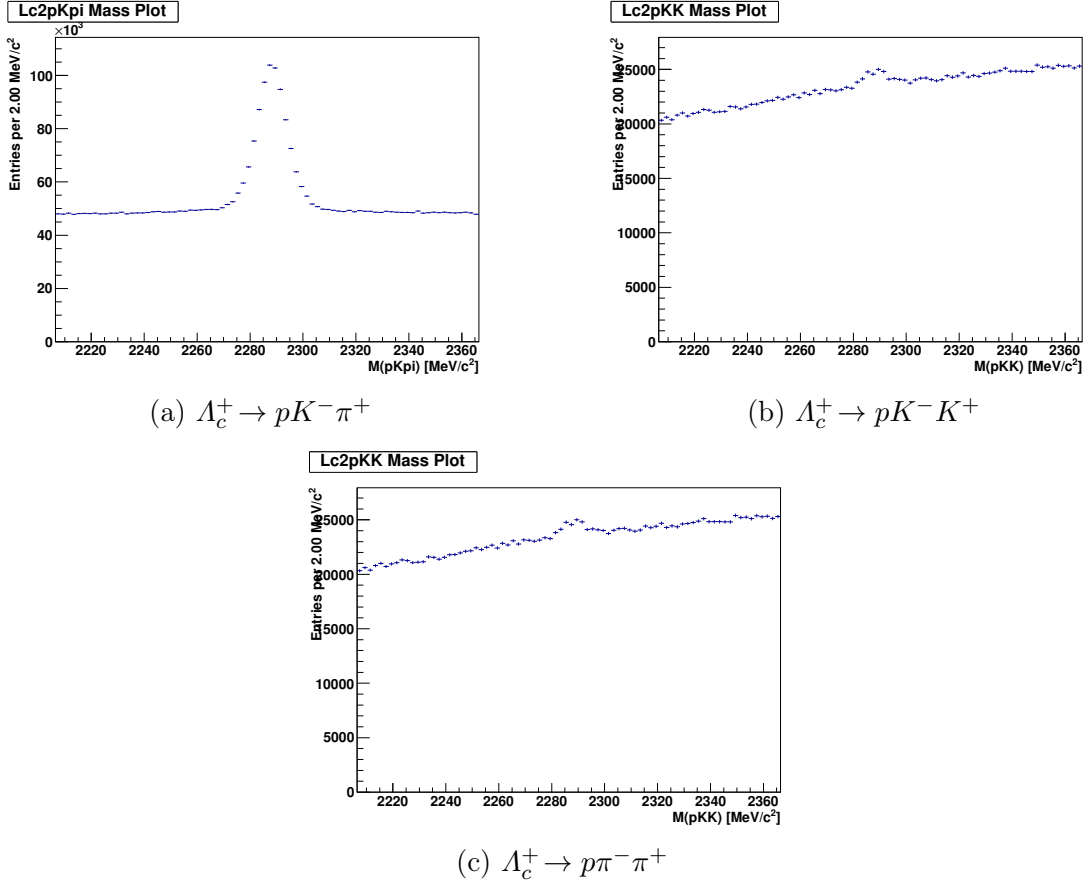


Figure 1.1: The mass distributions of the raw prompt stripping output, before the application of trigger cuts.

210 utilise constraints using nominal particle masses. Our implementation uses a constraint
 211 on the Λ_c mass and no primary-vertex constraint. Convergence of the DecayTreeFitter
 212 algorithm is made necessary for an event to pass the selection. This has a minimal effect
 213 on the signal region, and primarily vetos events in the high mass sideband. The effect
 214 of this convergence criterion is demonstrated in the promptly selected $\Lambda_c^+ \rightarrow pK^- \pi^+$ in
 215 Figure 1.4. This criterion is applied to both the prompt and semileptonic selections.

216 In order to ascertain the efficiencies of the PID DLL cuts used in the selections it is
 217 necessary to utilise the data-driven PIDCaLib technique. This technique uses calibration
 218 tracks from decay modes which may be cleanly reconstructed without the use of the PID
 219 discriminants. These tracks are binned in p and η to derive local PID efficiencies, which
 220 are then used to ascribe event-by-event PID efficiencies to the signal decays in this analysis
 221 (this procedure is outlined more fully in Section ??). There exist regions of the $p - \eta$ phase
 222 space for which $\Lambda_c^+ \rightarrow phh'$ signal tracks exist, but for which no calibration data exists.
 223 This is due to the lower p_T of protons in $\Lambda^0 \rightarrow p\pi^-$ decays than those protons in $\Lambda_c^+ \rightarrow phh'$
 224 decays. In such regions it is impossible to attribute a PID efficiency to the signal data. It

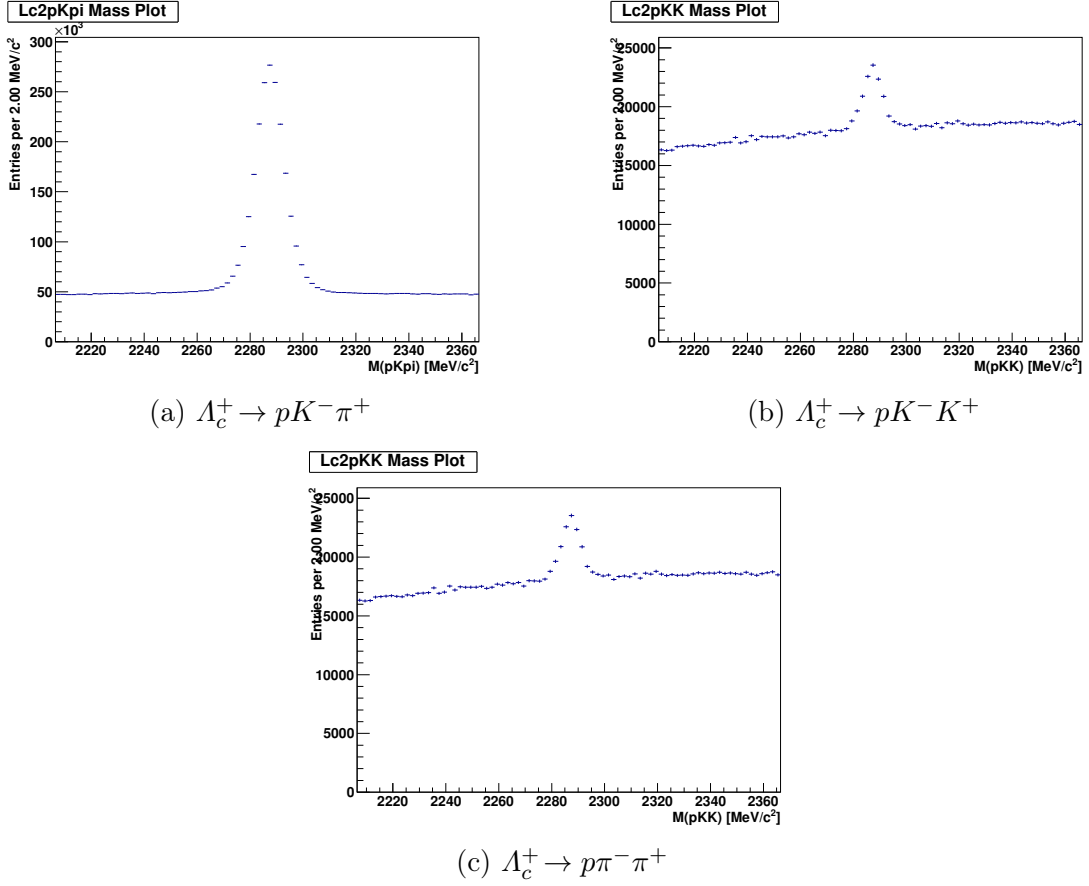


Figure 1.2: The mass distributions of the raw semileptonic stripping output, before the application of trigger cuts.

225 is therefore necessary to include a variety of fiducial cuts on the kinematics of the daughter
 226 tracks in the $\Lambda_c^+ \rightarrow phh'$ signal decays to exclude Λ_c candidates with daughter particles
 227 falling in such regions. This ensures a reliable PID efficiency is ascribed to each event of
 228 the signal data. The vetoed regions are given in Table 1.4, and illustrated in Figure 1.5.
 229 The vetoes exclude between 15 – 30 % of signal candidates varying on a per-mode basis.

Daughter Particle	Vetoed Regions
π	$\eta < 2.0, \eta > 4.5, p < 5\text{GeV}/c^2, p > 100\text{GeV}/c^2$
K	$\eta < 2.0, \eta > 4.5, p < 5\text{GeV}/c^2, p > 100\text{GeV}/c^2$
p	$\eta < 2.0, \eta > 4.5, p < 15.6\text{GeV}/c^2, p > 100\text{GeV}/c^2,$ $(2.0 < \eta < 2.625 \text{ and } p > 29.3\text{GeV}/c^2),$ $(2.625 < \eta < 3.25 \text{ and } p > 44.83\text{GeV}/c^2)$

Table 1.4: Kinematically vetoed regions of the p and η phase space such that the data-driven PIDCalib method may be properly utilised.

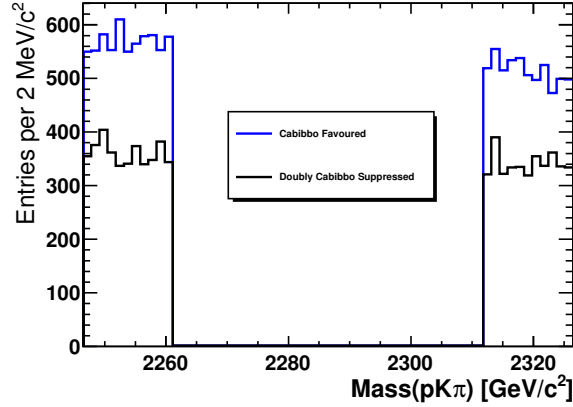


Figure 1.3: The mass sidebands from data of the promptly selected $\Lambda_c^+ \rightarrow pK^- \pi^+$ and $\Lambda_c^+ \rightarrow p\pi^- K^+$, after the final selection. Integrating these distributions and taking the ratio of the doubly-Cabibbo suppressed over the Cabibbo favoured gives combinatoric background ratio of 0.67.

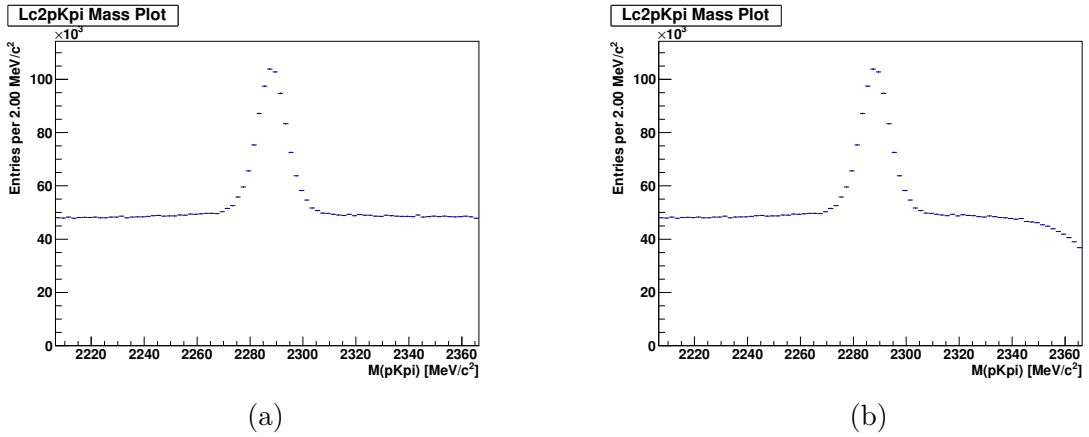


Figure 1.4: Mass distributions of promptly selected $\Lambda_c^+ \rightarrow pK^- \pi^+$ before (a) and after (b) the application of the DTF configuration and convergence criterion.

230 Offline selection of prompt candidates

231 The Λ_c mean lifetime is 200fs [1], which is much lower than that of charmed mesons (for
 232 example, the D^+ mean lifetime is 1040ps). Due to the resultant low separation of the Λ_c
 233 decay vertex with respect to the primary vertex, combinatoric backgrounds resulting from
 234 combinations of unrelated tracks are large in the case of promptly produced Λ_c . In order
 235 to suppress these backgrounds, a multivariate selection is used in tandem with the offline
 236 PID DLL cuts in the selection of $\Lambda_c^+ \rightarrow p\pi^- K^+$ candidates.

237 Multivariate selections combine information from numerous input variables describing
 238 a process and combine it to form one variable. When attempting to discriminate between

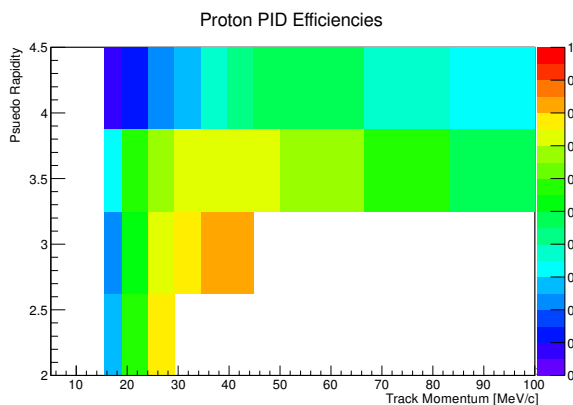


Figure 1.5: Kinematically vetoed regions of the p and η phase space for promptly selected protons. White bins indicate vetoed regions, coloured bins give the average efficiency of the PID DLL cuts on proton tracks in that region, as evaluated using the $\Lambda^0 \rightarrow p\pi^-$ PID calibration samples.

239 multiple species in a sample, a simple selection placed on the multivariate can possess
 240 much greater discriminatory power than simple selections placed upon the input variables.
 241 A decision tree (BDT, [14]) consists of a branching tree of nodes. Starting from one node,
 242 a simple selection requirement is made on one or a combination of the input variables with
 243 a binary output. Each output leads to a separate node whereby another requirement is
 244 made. Ultimately at the final nodes signals are assigned a value corresponding to their
 245 likelihood of being each species. A boosted decision tree (BDT [15]) consists of a series
 246 of trees in a “forest”, whereby the architecture of each tree is informed by the outcomes
 247 of the previous trees. Several algorithms exist to dictate the development of the forest,
 248 or the “boosting”. One such algorithm, ADABOOST [16], assigns greater weights for a
 249 given tree in the training phase to events which were misclassified in previous trees.

250 A boosted decision tree was trained using the ADABOOST adaptive boosting al-
 251 gorithm on the $\Lambda_c^+ \rightarrow pK^-\pi^+$ data. The $sPlots$ technique is utilised to disentangle the
 252 signal and background input variable distributions. The training and testing of the BDT
 253 was performed in TMVA [17]. Initially the TMVA default values for BDT architecture
 254 were utilised. The input variables were chosen such that the selection possesses minimum
 255 sensitivity to the kinematics of the daughter particles in the Λ_c decay to ensure the BDT’s
 256 selection of events has a uniform efficiency across the decay modes. These variables are:

- 257 • Reconstructed Λ_c p_T .
- 258 • Λ_c maximum $DoCA$, the distance of closest approach between any of the possible
 259 pairs of particles in the Λ_c decay.
- 260 • Λ_c $DIRA$, the direction angle of the reconstructed Λ_c momentum w.r.t. the direction
 261 of flight to the best primary vertex.
- 262 • Λ_c end vertex χ^2 .

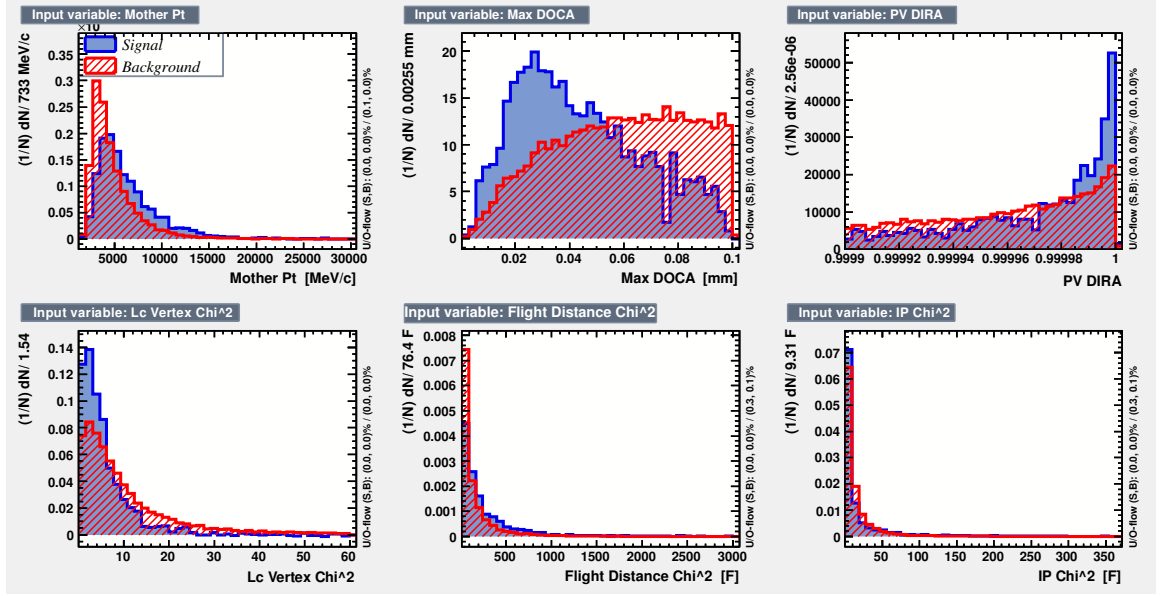


Figure 1.6: BDT input variables distributions for signal and combinatoric background, from the promptly selected $\Lambda_c^+ \rightarrow pK^-\pi^+$ training sample.

- 263 • Λ_c flight distance χ^2 with respect to the primary vertex.
- 264 • Λ_c $IP\chi^2$, the impact parameter χ^2 w.r.t. the best primary vertex, or the increase to
- 265 the χ^2 of the associated primary vertex when the reconstructed Λ_c momentum is
- 266 included in the primary vertex fit.

267 The distributions of these variables for signal and background for the prompt selection
 268 training sample, before the offline PID cuts, are given in Figure 1.6. These are acquired
 269 using the *sPlots* technique to extract the signal and combinatoric distributions.

270 In the selection of the Cabibbo favoured and singly-Cabibbo suppressed modes, we
 271 do not apply any MVA offline selection but do apply offline PID cuts. In the selection of
 272 $\Lambda_c^+ \rightarrow p\pi^-K^+$ candidates, the offline PID cuts and the BDT itself are optimised in tandem
 273 recursively to attain the most powerful discrimination attainable. This procedure involves
 274 the following steps:

- 275 1. A BDT is trained on the training sample without any offline PID cuts applied.
- 276 2. The BDT response cut is then optimised in CROP with the cuts on the PID DLL
 277 variables, using $S/\sqrt{S+B}$ as a figure of merit. As the PID cuts will exclude some
 278 background events which the BDT is trained to exclude, the BDT will not be
 279 optimally trained for a selection in conjunction with the PID DLL cuts.
- 280 3. A new BDT is then trained on a data sample which has had the optimum PID DLL
 281 cuts as found in step 2 applied as a preselection. The new BDT response cut is then
 282 optimised in CROP in tandem with the cuts on the PID DLL variables to find new
 283 optimum PID cuts for this tree architecture.

284 4. This process is repeated, with new BDTs being trained until the optimum PID
285 response as found by CROP converges.

286 At this point we can at the very least say that a local maximum in the N-dimensional
287 cutspace has been found. A cross check is carried out to look for higher maxima of signal
288 significance. A set of arbitrary PID cuts are applied to the training sample initially, and
289 the simultaneous PID/BDT optimisation is reperformed. The arbitrary PID cuts used are:

- 290 • proton $DLL(p - \pi) > 10$.
- 291 • proton $DLL(p - K) > 10$.
- 292 • kaon $DLL(K - \pi) > 8$.

293 The same optimum PID and BDT cuts are attained, demonstrating that the maximum
294 found is likely a global maximum.

295 At this stage an optimisation of the tree architecture takes place. The optimisation
296 process takes into account both signal and background discrimination and the compatibility
297 of the BDT response between the training and testing phases (as evaluated with a
298 Kolmogorov Smirnov test [18] by TMVA). The former should be maximised for obvious
299 reasons. The latter gives an indication of the level of overtraining, where the training
300 phase becomes sensitive to the statistical fluctuations in the training sample, leading to a
301 sub-optimal MVA architecture. The variables defining the tree architecture which were
302 optimised are:

303 N_{trees} - The number of trees in the forest.

304 **Boost type** - The algorithm which determines the boosting procedure.

305 **Adaptive Boost β** - The learning rate for the adaptive boost algorithm.

306 **Maximum Tree Depth** - The maximum depth of the trees, or depth of nodes per tree.

307 **Steps in Node Optimisation** - At each node in the tree the data is split according to
308 a binary decision based on the input variable of interest at the node. This variable
309 is the number of steps in the variable range used to find the optimum splitting point
310 at each node.

311 The optimum values of these parameters are given in Table 1.5.

312 The final BDT classifier output, overtraining check and ROC curve are shown in
313 Figure 1.7. The final PID DLL and BDT response cuts are given in Table 1.6. Assuming
314 the naive expected ratio of doubly-Cabibbo suppressed to Cabibbo favoured decays, the
315 maximum $S/\sqrt{S+B}$ significance of the promptly selected $A_c^+ \rightarrow p\pi^-K^+$ may be estimated.
316 After the final PID cuts, this is done by summing the signal and background weights and
317 varying the BDT response to find the optimum cut.

318 The tighter offline PID cuts used in the selection of all prompt modes (along with the
319 semileptonic PID cuts) are given in Table 1.6.

Table 1.5: The BDT architecture variables which were optimised, showing the default and optimum values.

Architecture Variable	Default Value	Tested Values	Optimum Value
Boosting Type	Adaptive	Adaptive, Gradient, Bagging	Adaptive
Adaptive Boost β	0.5	0.1, 0.2, 0.3, 0.4, 0.5, 0.6, 0.7, 1.0	0.3
N_{trees}	400	10, 20, 40, 50, 80, 100, 150, 200, 300, 400	50
Maximum tree depth	3	2, 3, 4, 5	3
Steps in Node Optimisation	20	10, 12, 14, 16, 18, 20, 22, 24, 26	20

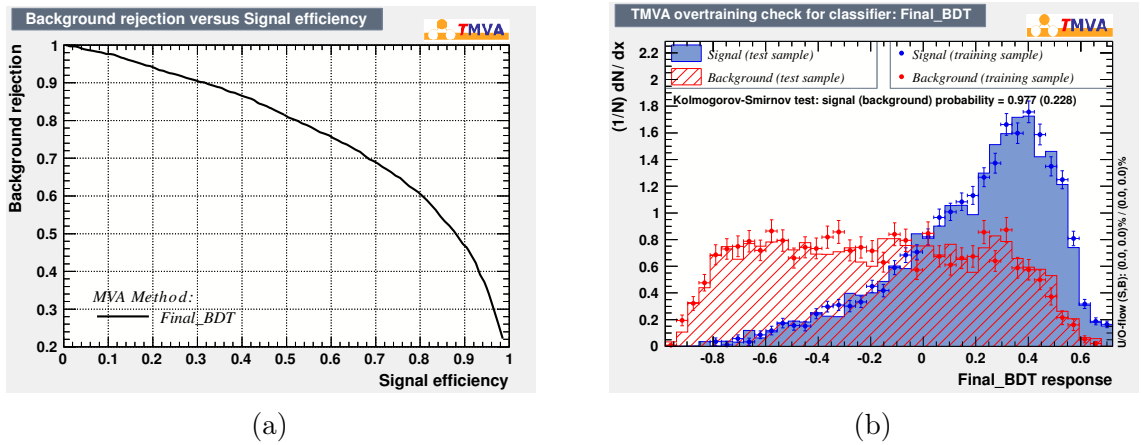


Figure 1.7: The receiver operating characteristic (ROC) curve (a) and the classifier output distributions for the training/testing phases (b) for the final BDT. The Kolmogorov-Smirnov tests for compatibility in the training and testing phases indicate that the training and testing sample distributions agree in both signal and background.

320 Offline selection of semileptonic candidates

321 The higher separation from the primary vertex in semileptonically produced Λ_c over those
322 produced promptly, due to the high mean lifetime of the Λ_b^0 (approximately 1500 fs),
323 results in a much lower combinatoric background in the semileptonic data. Investigation of
324 multivariate analysis and of further rectangular cuts on kinematic properties of the Λ_b^0 and
325 Λ_c^+ decays over those in the stripping demonstrated no significant gains in discrimination
326 between signal and combinatoric backgrounds. Tighter cuts on the PID DLL variables
327 compared to those in the stripping were shown to offer significant discrimination. As such
328 PID DLL cuts were optimised in CROP for maximum sensitivity to the $\Lambda_c^+ \rightarrow p\pi^-K^+$
329 mode, with the optimum cuts shown in Table 1.6. It should be noted that the tighter PID
330 cuts in the semileptonic $\Lambda_c^+ \rightarrow p\pi^-\pi^+$ come from the stripping line for this mode, and are
331 very sub-optimal for the other $\Lambda_c^+ \rightarrow phh'$ modes. As such these are the only differences in
332 offline selection between the semileptonic modes.

Selection	Particle	PID Cuts
Prompt $\Lambda_c^+ \rightarrow phh'$	p	$DLL_{(p-\pi)} > 20, DLL_{(p-K)} > 12$
	K	$DLL_{(K-\pi)} > 10, DLL_{(K-p)} > -8$
	π	$DLL_{(K-\pi)} < 0$
SL $\Lambda_c^+ \rightarrow p\pi^-\pi^+$	p	$DLL_{(p-\pi)} > 20, DLL_{(p-K)} > 9$
	π	$DLL_{(K-\pi)} < 0$
Other SL $\Lambda_c^+ \rightarrow phh'$	p	$DLL_{(p-\pi)} > 20, DLL_{(p-K)} > 9$
	K	$DLL_{(K-\pi)} > 10$
	π	$DLL_{(K-\pi)} < 10$

Table 1.6: The final PID cuts used in each of the selections in the analysis.

333 1.3.4 Mass spectra

334 The mass spectra at each stage of selection are given herein to demonstrate the effects of
335 the selection at each stage. These are given in Figure 1.8 – Figure 1.13. The mass range is
336 centred on the nominal Λ_c mass ± 80 MeV/ c^2 . The terms in the legend are as follows:

337 **Raw** - The mass spectra of all stripped candidates, i.e. the raw output of the stripping
338 selections.

339 **Trigger** - The mass spectra of the stripped candidates which pass the trigger requirements.

340 **Trigger and PID** - The mass spectra of the stripped candidates which pass the trigger
341 requirements and the tight offline PID cuts.

342 **Full Selection** - The mass spectra of the stripped candidates passing the trigger, offline
343 PID, kinematic vetoes and DTF convergence requirement.

344 In the prompt, the TIS trigger chain vetoes very few candidates. This is expected due to
345 the lack of dedicated Hlt2 lines for the Cabibbo-suppressed modes and the inefficiency
346 of the Cabibbo-favoured dedicated Hlt2 line - what prompt $\Lambda_c^+ \rightarrow phh'$ LHCb recorded
347 in 2011 was almost entirely triggered independently of the Λ_c decay. In the semileptonic,
348 the effect of the TOS chain is to veto a large amount of background while vetoing a
349 relatively lower signal fraction - this is to be expected given the signal-enhancing cuts
350 in the topological trigger. In both analyses the background is reduced considerably with
351 the application of the PID cuts. The kinematic vetoes can be seen to veto signal and
352 background indiscriminately, while the DTF convergence requirement results in candidates
353 at high masses being vetoed in those channels with kaons in the final state.

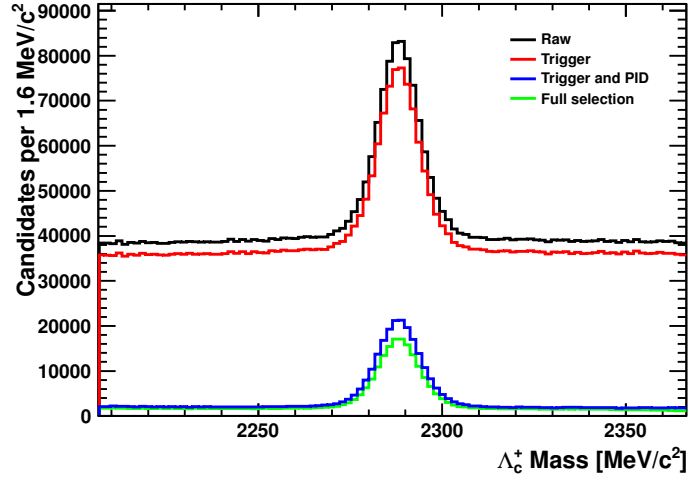


Figure 1.8: The mass distributions of the prompt $\Lambda_c^+ \rightarrow p K^- \pi^+$ for each stage of selection.

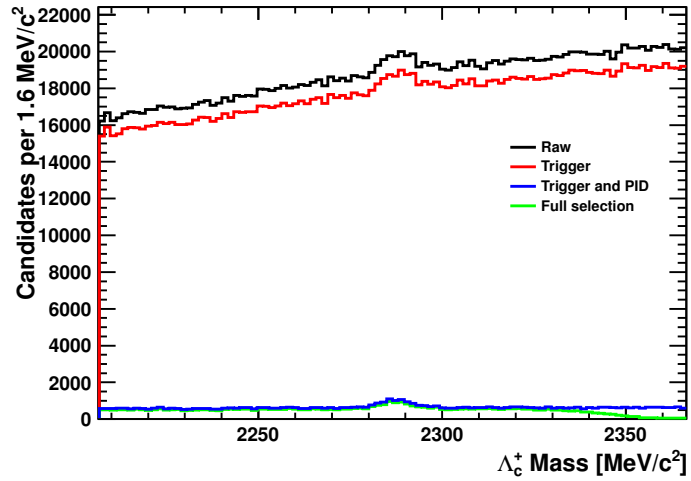


Figure 1.9: The mass distributions of the prompt $\Lambda_c^+ \rightarrow p K^- K^+$ for each stage of selection.

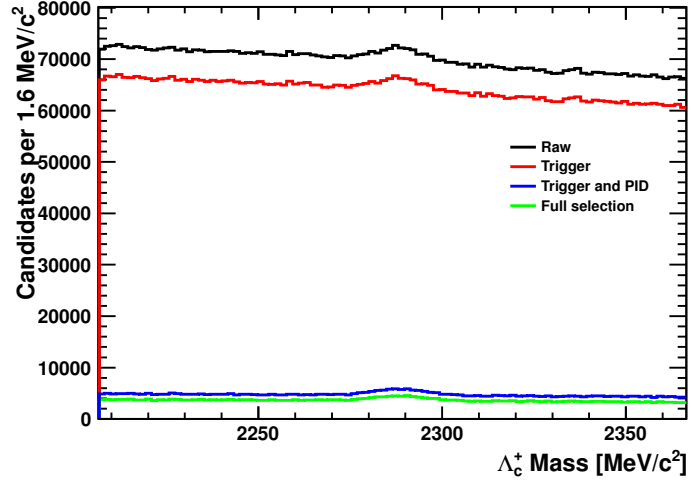


Figure 1.10: The mass distributions of the prompt $\Lambda_c^+ \rightarrow p\pi^-\pi^+$ for each stage of selection.

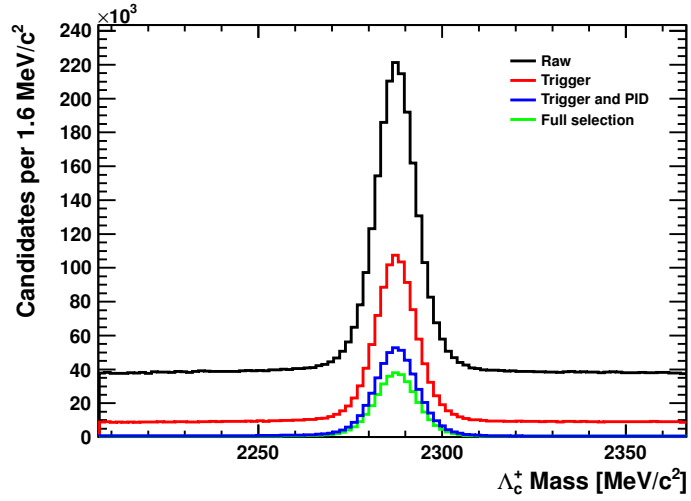


Figure 1.11: The mass distributions of the SL $\Lambda_c^+ \rightarrow pK^-\pi^+$ for each stage of selection.

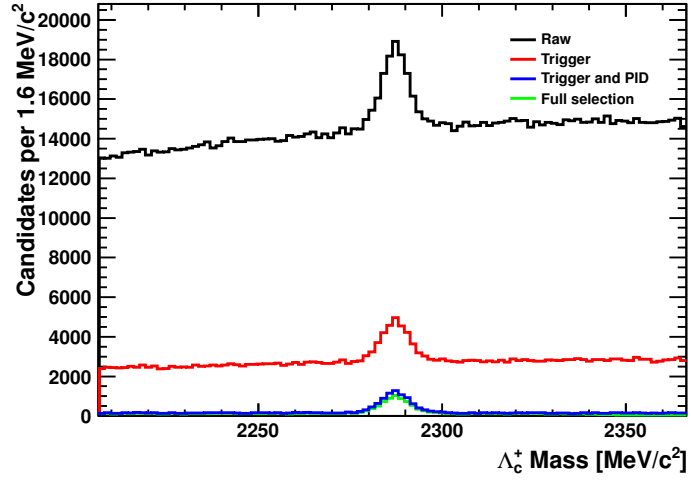


Figure 1.12: The mass distributions of the SL $\Lambda_c^+ \rightarrow pK^-K^+$ for each stage of selection.

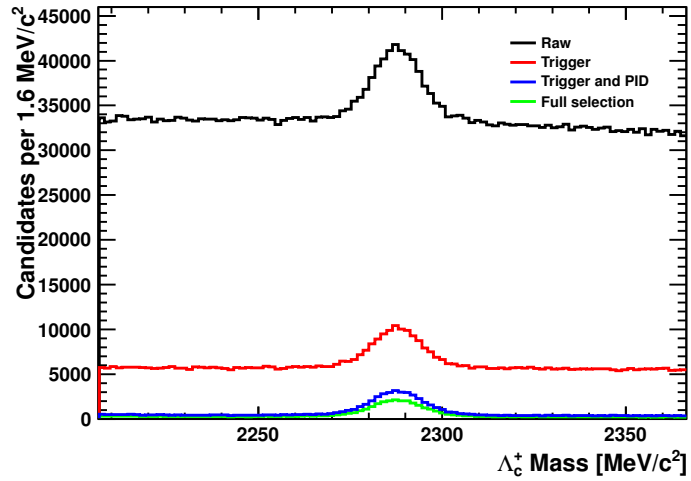


Figure 1.13: The mass distributions of the SL $\Lambda_c^+ \rightarrow p\pi^-\pi^+$ for each stage of selection.

1.4 Prompt backgrounds

Herein we discuss the potential backgrounds in the prompt analysis. There are two broad categories of backgrounds that our selections may be prone to: reflections from D^+ decays and Λ_c decays. There are a number of charmed meson decays which, if mis-reconstructed in some fashion, may result in peaking backgrounds in the $|\text{lc}$ candidate mass window around the nominal. A brief summation of these are as follows (in all cases h refers to any permutation of charged kaons and pions):

$D^+ \rightarrow hhh/D_s^+ \rightarrow hhh$ **reflections** - all the D^+/D_s^+ daughters are reconstructed, but at least one of the daughters are misidentified as another charged hadron.

$D^+ \rightarrow hhhh^0/D_s^+ \rightarrow hhhh^0$ **partial reconstruction** - the neutral daughter hadron, for example a π^0 or K_s^0 , is not reconstructed and at least one of the charged daughters is misidentified as another charged hadron.

$D^0 \rightarrow hhhh$ **partial reconstruction** - one charged daughter is not reconstructed, and at least one of the charged daughters is misidentified as another charged hadron.

The misidentification has the effect of smearing the candidate mass distribution and shifting it from the nominal Λ_c mass in non-trivial ways depending on the decay kinematics. To parametrise these distributions we apply our selection to simulated D decays while forcing the required mass hypotheses on the set of D daughters such that candidates manifest with a final state corresponding to one of the $\Lambda_c^+ \rightarrow phh'$ modes under investigation.

1.4.1 $D_s^+ \rightarrow hhh/D^+ \rightarrow hhh$ mis-reconstructions

Method

There are a large number of D^+/D_s^+ decays which, with a single final state kaon or pion mis-identified as a proton, can lead to their manifestation in the same final state as one of the $\Lambda_c^+ \rightarrow phh'$ modes. To account for these $D^+ \rightarrow hhh/D_s^+ \rightarrow hhh$ reflections, we consider the mis-identifications which can arise which will likely result in candidates in the region of the Λ_c mass.

The possible reflections are constrained by one of the same-sign daughters being mis-identified as a proton, resulting in only four generic cases whereby single mis-identification reflections are relevant. As the number of decays which can result in such a mis-identification are numerous, we investigate first the modes which have the highest branching fractions corresponding to these general cases of mis-identification.

These decays are outlined in Table 1.7. The most abundantly produced D^+ mode in which a pion mis-identification as proton is possible is $D^+ \rightarrow \pi^+\pi^+K^-$, with a measured branching fraction of $(9.13 \pm 0.19) \%$ [19]. D^+ decays with a same-sign kaon in the final state require at least one Cabibbo-suppressed transition, and their branching fractions are correspondingly lower. The most abundant of these is the decay $D^+ \rightarrow \pi^+K^-K^+$, with a branching fraction of $(9.54 \pm 0.26) \times 10^{-3}$ [19]. The highest branching fraction of a D_s^+

391 with a same-sign pion or kaon in the final state is in both cases the decay $D_s^+ \rightarrow \pi^+ K^- K^+$,
 392 with a branching fraction of $(5.49 \pm 0.27) \%$ [20], [21].

$D^+ \rightarrow hhh$ Mode	D^+ decay \mathcal{B} [%]	mis-ID	$\Lambda_c^+ \rightarrow phh'$ Mode
$D^+ \rightarrow \pi^+ \pi^+ K^-$	$(9.13 \pm 0.19) \times 10^{-2}$	$\pi^+ \rightarrow p$	$\Lambda_c^+ \rightarrow pK^- \pi^+$
$D^+ \rightarrow K^+ K^- \pi^+$	$(9.54 \pm 0.26) \times 10^{-3}$	$K^+ \rightarrow p$	$\Lambda_c^+ \rightarrow pK^- \pi^+$
$D_s^+ \rightarrow K^+ K^- \pi^+$	$(5.49 \pm 0.27) \times 10^{-2}$	$\pi^+ \rightarrow p$	$\Lambda_c^+ \rightarrow pK^- K^+$
$D_s^+ \rightarrow K^+ K^- \pi^+$		$K^+ \rightarrow p$	$\Lambda_c^+ \rightarrow pK^- \pi^+$

Table 1.7: The decays which correspond to a $D^+ \rightarrow hhh/D_s^+ \rightarrow hhh$ reflection where a positive charged kaon or pion is mid-identified as a proton. We provide the branching fractions and the mis-ID corresponding to the $\Lambda_c^+ \rightarrow phh'$ modes in which the reflections manifest. The decays given possess some of the highest branching fractions of the D^+/D_s^+ decays which can result in a $\Lambda_c^+ \rightarrow phh'$ final state under a single misidentification.

393 Efficiency and yield estimations

394 The numbers of simulated events passing the various stages of our selection are detailed in
 395 Table 1.8. For all modes, zero events pass the full selection. A finite number of candidates
 396 pass just the trigger and stripping, and a finite number of candidates pass just the stripping
 397 and PID. As the trigger chain in the prompt analysis is TIS, the subset of events passing
 398 the TIS requirement should not be dependent on the PID response. We can therefore
 399 factorise the individual efficiencies to better estimate the overall efficiency of our selection
 400 on the backgrounds. The full efficiency of the selection is therefore given as:

$$\epsilon_{total} = \frac{\epsilon_{(\text{strip,PID})} \epsilon_{(\text{strip,trig})}}{\epsilon_{strip}} \quad (1.2)$$

401 where ϵ_{strip} is the efficiency of the stripping selection alone, $\epsilon_{(\text{strip,PID})}$ is the efficiency of
 402 the stripping and PID selections and $\epsilon_{(\text{strip,trig})}$ is the efficiency of the stripping and trigger
 403 selections (as the stripping selection is applied to the baseline already it is necessary to
 404 include it in both the expressions for the PID and trigger efficiencies and factor it out).
 405 The efficiencies for the modes are shown in Table 1.9. Where non-zero numbers of events
 406 pass orthogonal selection, we provide an efficiency as per Equation 1.2. If no events survive
 407 any orthogonal selections, we provide upper limits. These efficiencies are rough calculations
 408 - the PID efficiency is derived using the PID response in the simulation, which is known to
 409 be poorly modelled. The numbers of events surviving the selections are very low, such that
 410 the binomial errors on the efficiencies are high. Nonetheless, they serve as a reasonable
 411 approximation when estimating the orders of magnitude of the efficiencies of our prompt
 412 selection on the D decays. The efficiencies for the full prompt selection are estimated to
 413 be of order $\mathcal{O}(10^{-9}) - \mathcal{O}(10^{-8})$ for the various D decays considered.

414 The prompt charm cross sections at $\sqrt{s} = 7$ TeV at LHCb have been measured in [22].
 415 Integrated over the LHCb acceptance, those relevant to this analysis are:

- 416 • $\sigma(\Lambda_c) = 230 \pm 77 \mu\text{b}$
- 417 • $\sigma(D^+) = 676 \pm 137 \mu\text{b}$
- 418 • $\sigma(D_s^+) = 194 \pm 38 \mu\text{b}$
- 419 • $\sigma(D^0) = 1488 \pm 182 \mu\text{b}$

420 Taking these, with the estimated efficiencies of our selection on the above D decays, we
 421 can estimate the number of charged D reflections surviving the prompt Λ_c selection in the
 422 2011 dataset. The typical expected D candidates passing our selection are estimated as:

$$N_{\text{pass}} = \mathcal{L}\sigma\mathcal{B}\epsilon_D \quad (1.3)$$

423 where \mathcal{L} is the integrated luminosity of the 2011 dataset, σ is the production cross section
 424 in the LHCb acceptance of the parent D , \mathcal{B} is the branching fraction of the D decay
 425 leading to the reflection and ϵ_D is the estimated efficiency of the prompt Λ_c selection on
 426 the D decay. These are summarised in Table 1.10. The estimations for N_{pass} are of the
 427 order of 1000 for the decays considered.

428 This somewhat low yield is to be expected given our selection's design. Tight PID cuts
 429 are used on every final state daughter in the prompt selection. In addition to suppressing
 430 combinations of unrelated tracks (of which there are many, due to the short Λ_c mean
 431 lifetime and low PV displacement), these serve to eliminate the majority of mis-identified
 432 reflections. The maximum lifetime cut on the reconstructed Λ_c candidate of 1.2 ps removes
 433 a significant fraction (approximately 35 %) of genuine D decays, which have a mean lifetime
 434 of around 1 ps compared to 0.2 ps for the Λ_c . The minimum momentum requirement on
 435 the proton of 15.6 GeV/ c and the requirement that at least one daughter have a transverse
 436 momentum above 1.2 GeV/ c suppress the kaon/pion tracks which come from D decays
 437 (the proton momenta in genuine Λ_c decays are typically greater than those of the D decay
 438 daughters).

439 There are many components of our selection which will apply equally well to excluding
 440 other D decays. The lifetime cut will uniformly veto the same fraction of all D decays.
 441 The number of kaons and pions in the final state of each D decay will affect the momenta
 442 of the final state particles, although this is not expected to be a large effect. As such,
 443 to first order the efficacy of the momentum and PID requirements in vetoing other D
 444 decays which have not been directly examined should be comparable to the modes which
 445 were investigated. All other D decays which can result in final state reflections in the Λ_c
 446 reconstruction have lower branching fractions than the decays investigated herein, resulting
 447 in lower expected contamination in the 2011 Λ_c data. In the case of reflections arising
 448 from two or three mis-identifications, we may assume that the tight PID cuts make it
 449 significantly less likely that a D decay with multiple incorrectly identified daughter tracks
 450 will pass our selection than in the case of a single mis-identification.

451 The number of reflection candidates expected to pass the selection for the highest D^+
 452 and D_s^+ branching fractions should not be a significant factor in our fitting procedure
 453 if, as expected, they are spread across the full Λ_c mass window. We also provide the

454 ratio of the number of reflection candidates expected to pass full selection in 2011 to the
455 number of candidates in the corresponding $\Lambda_c^+ \rightarrow phh'$ signal mode in which the reflection
456 manifests. Given that 3 of the 4 reflections possible from the high branching ratio D^+/D_s^+
457 decays considered manifest in the Cabibbo-favoured mode these reflection over signal
458 ratios are generally at the per-cent level, and negligible in this analysis given other limiting
459 systematics.

$D^+ \rightarrow hhh$ Mode	N_{total}	mis-ID	N_{strip}	$N_{strip,PID}$	$N_{strip,trig}$	$N_{strip,trig,pid}$
$D^+ \rightarrow \pi^+ \pi^+ K^-$	5128979	$\pi^+ \rightarrow p$	37492	40	125	0
$D^+ \rightarrow K^+ K^- \pi^+$	10150948	$K^+ \rightarrow p$	15141	41	329	0
$D_s^+ \rightarrow K^+ K^- \pi^+$	1007498	$\pi^+ \rightarrow p$	332	0	2	0
		$K^+ \rightarrow p$	41	0	7	0

Table 1.8: The simulated data used in the single mis-identification background studies. Shown are the numbers of events within 90 MeV/ c^2 of the A_c mass passing the prompt A_c selection at each stage of selection.

$D^+ \rightarrow hhh$ Mode	mis-ID	ϵ_{strip}	$\epsilon_{(PID,strip)}$	$\epsilon_{(trig,strip)}$	ϵ_{total}
$D^+ \rightarrow \pi^+ \pi^+ K^-$	$\pi^+ \rightarrow p$	$(7.309 \pm 0.037) \times 10^{-3}$	$(7.8 \pm 1.2) \times 10^{-6}$	$(2.4 \pm 0.2) \times 10^{-5}$	$(2.6 \pm 0.5) \times 10^{-8}$
$D^+ \rightarrow K^+ K^- \pi^+$	$K^+ \rightarrow p$	$(1.491 \pm 0.001) \times 10^{-3}$	$(4.0 \pm 0.6) \times 10^{-6}$	$(3.2 \pm 0.2) \times 10^{-5}$	$(8.8 \pm 1.5) \times 10^{-8}$
$D_s^+ \rightarrow K^+ K^- \pi^+$	$\pi^+ \rightarrow p$	$(3.295 \pm 0.181) \times 10^{-4}$	$< 1.3 \times 10^{-7} @ 95 \% \text{ CL}$	$(2.0 \pm 1.4) \times 10^{-6}$	$< 1.3 \times 10^{-7} @ 95 \% \text{ CL}$
	$K^+ \rightarrow p$	$(4.069 \pm 0.635) \times 10^{-5}$	$< 1.3 \times 10^{-7} @ 95 \% \text{ CL}$	$(7.0 \pm 2.6) \times 10^{-6}$	$< 1.3 \times 10^{-7} @ 95 \% \text{ CL}$

Table 1.9: The simulated data used in the single mis-identification background studies. Shown are the efficiencies for the various stages of the selection and the calculated efficiency of the full selection.

$D^+ \rightarrow hhh$ Mode	$\sigma(\text{mother})/\sigma(\Lambda_c)$	Decay \mathcal{B}	mis-ID	N_{final}	$\Lambda_c^+ \rightarrow phh'$ signal fraction [%]
$D^+ \rightarrow \pi^+ \pi^+ K^-$	2.939 ± 1.150	$(9.13 \pm 0.19) \times 10^{-2}$	$\pi^+ \rightarrow p$	$(1.6 \pm 0.5) \times 10^3$	1.2
$D^+ \rightarrow K^+ K^- \pi^+$		$(9.54 \pm 0.26) \times 10^{-3}$	$K^+ \rightarrow p$	$(0.6 \pm 0.2) \times 10^3$	0.5
$D_s^+ \rightarrow K^+ K^- \pi^+$	0.084 ± 0.327	$(5.49 \pm 0.27) \times 10^{-2}$	$\pi^+ \rightarrow p$	$< 1.4 \times 10^3 @ 95\% \text{ CL}$	51
			$K^+ \rightarrow p$	$< 1.4 \times 10^3 @ 95\% \text{ CL}$	1.1

Table 1.10: The estimated number of candidates from each charged D decay mode expected to pass the prompt Λ_c selection in the 2011 dataset. Also given are the ratio of this number of candidates to the number of candidates in the corresponding $\Lambda_c^+ \rightarrow phh'$ signal mode in which the reflection manifests.

460 **Simulated mass distributions**

461 We use the simulated data to investigate the shapes of the mass distributions of misrecon-
462 structed candidates. If the distributions do not peak within the A_c mass window, and have
463 shapes which can be well modelled by a first order polynomial, it may be safely assumed
464 that even if the number of D decays which pass our selection in this mass region is much
465 higher in reality than our calculations say, this contribution will be accounted for by the
466 fit model for the combinatoric background component.

467 As no simulated D decays pass our full selection, we investigate the shape of the mass
468 distribution of the mis-reconstructed D candidates at various stages of the selection. We
469 investigate the mass distribution after the stripping selection only, the mass distribution
470 after the stripping and PID selections, and the mass distribution after the trigger and
471 stripping selections.

472 An example of the D^+ reflection mass distribution, $D^+ \rightarrow K^- \pi^+ \pi^+$, π^+ mis-ID as p ,
473 is given in Figure 1.14 for the full candidate mass distribution, with equivalent plots of
474 these quantities in just the A_c^+ stripping mass window given in Figure 1.15. As can be
475 seen, the candidates after stripping have mass distributions which either peak in the A_c
476 mass region (albeit with very broad peaks) or which are not flat in this region. As can
477 be seen in the distributions for candidates after stripping and PID and the distributions
478 after stripping and trigger these structures become flatter as the selection is applied. It
479 is therefore expected that the distributions of charged D reflections passing the full A_c
480 selection will be well modelled by a first order polynomial. Our combinatoric background
481 is also well described by a first order polynomial, and so any sum of these will simply be a
482 new first order polynomial, for which our fit model will account.

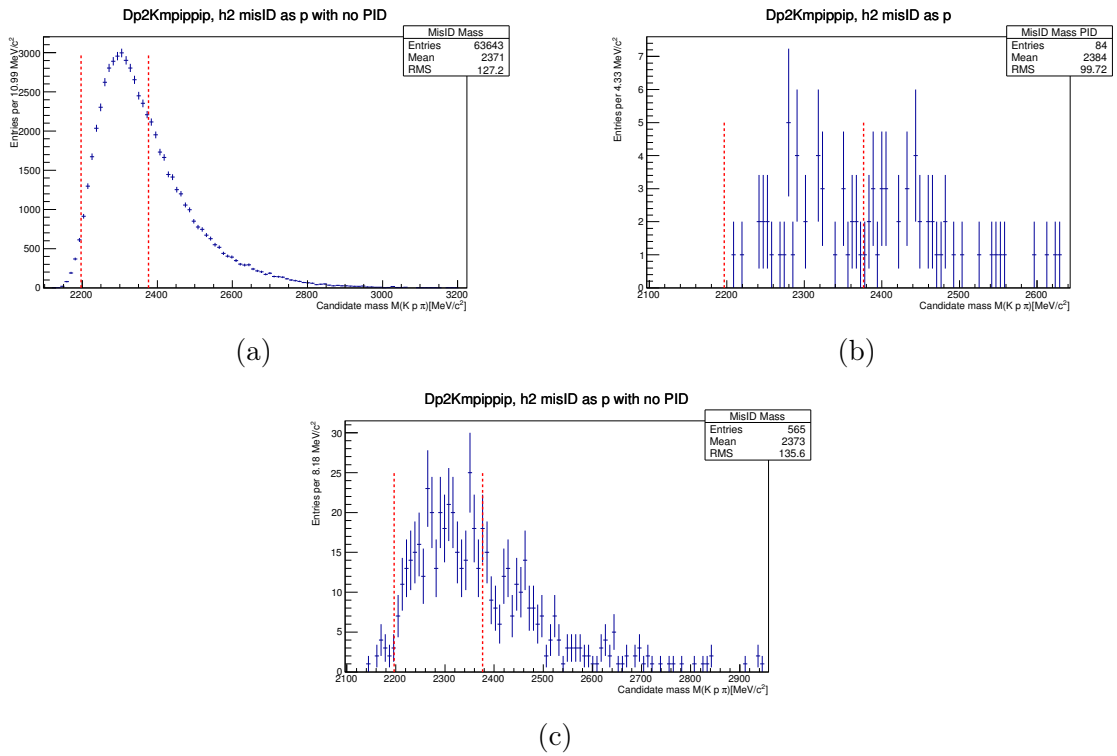


Figure 1.14: The mass distributions of simulated $D^+ \rightarrow K^- \pi^+ \pi^+$ candidates with the proton mass hypothesis forced upon one of the daughter pions. Shaded red lines show the A_c mass region from the stripping. (a) has applied the stripping selection alone, (b) the stripping and PID, (c) the stripping and trigger.

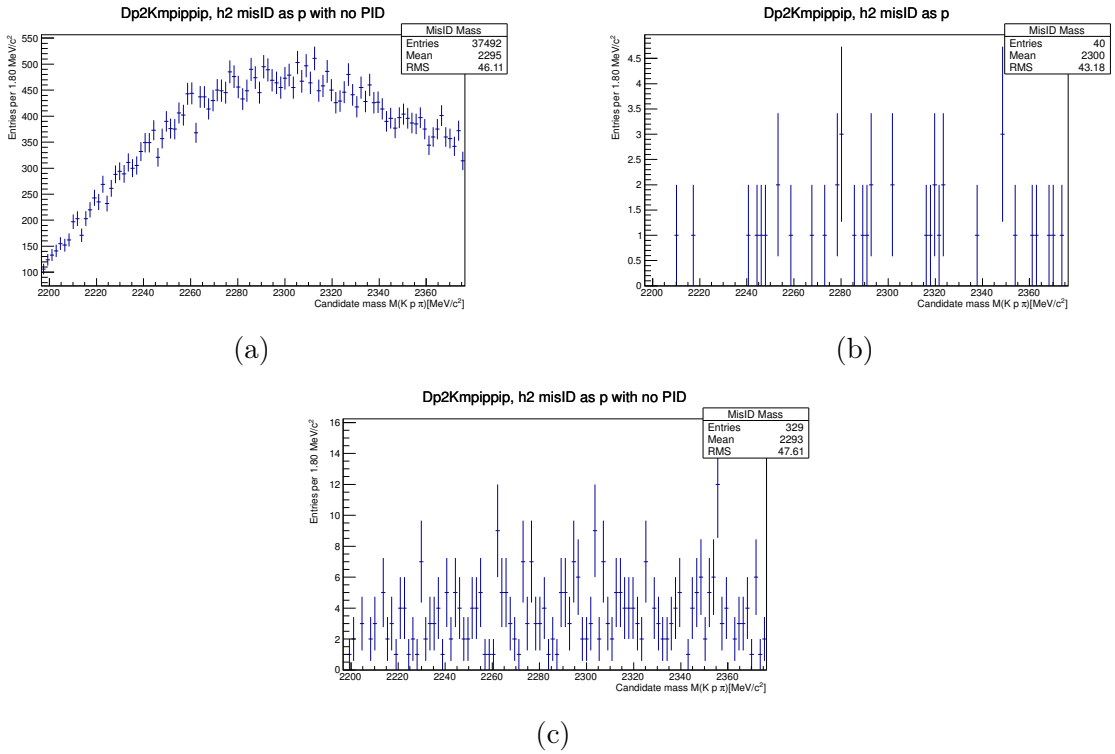


Figure 1.15: The mass distributions of simulated $D^+ \rightarrow K^- \pi^+ \pi^+$ candidates with the proton mass hypothesis forced upon one of the daughter pions. The mass region shown is that applied in the $\Lambda_c^+ \rightarrow p h h'$ stripping. (a) has applied the stripping selection alone, (b) the stripping and PID, (c) the stripping and trigger.

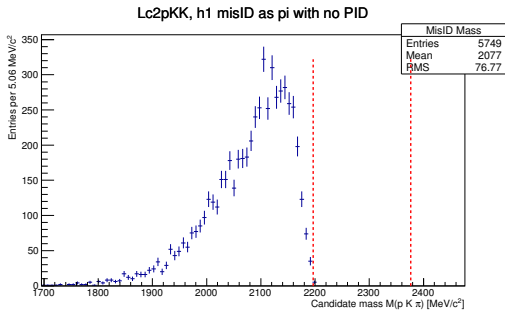
483 1.4.2 Mis-ID in Λ_c decays

484 In the case of cross-feed between the different $\Lambda_c^+ \rightarrow phh'$ modes, single mis-identification of
485 any daughter hadron is expected to result in a reconstructed mass distribution peaking away
486 from the Λ_c mass. Double and triple mis-identification in the singly Cabibbo-suppressed
487 modes is also expected to take the reconstructed candidate outside the mass range of
488 interest. For the Cabibbo favoured and doubly-Cabibbo suppressed modes, when the pion
489 is mis-identified as a kaon and the kaon is mis-identified as a pion, the mass distribution
490 peaks close to the Λ_c mass, although the distribution will be highly smeared from the
491 double mis-identification.

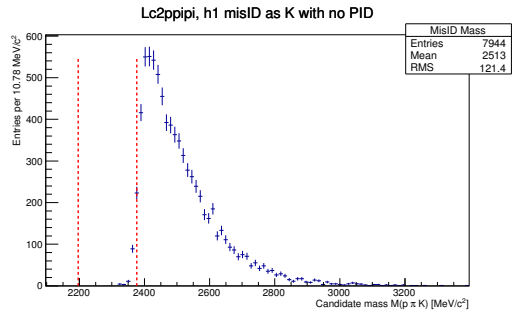
492 As the $\Lambda_c^+ \rightarrow phh'$ real data has PID cuts applied at the stripping level, we use simulated
493 $\Lambda_c^+ \rightarrow phh'$ decays for these studies. The samples have undergone the stripping selection
494 with PID cuts removed as described in Section 1.2.2. As in the case of the studies of D
495 reflections, we force the wrong mass hypothesis on one or more of the truth matched signal
496 decay daughters and recompute the invariant mass of the parent candidate.

497 Single mis-ID

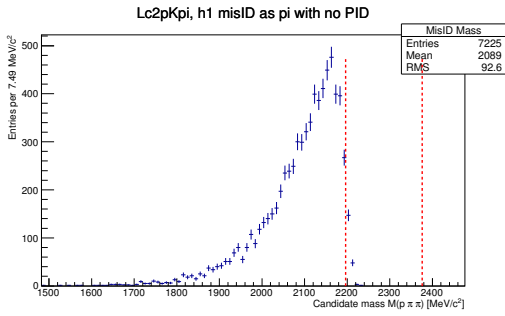
498 The case of a single daughter mis-identification, as expected, results in mass distributions
499 outside of the signal region. These cases are shown in Figure 1.16, where no PID or trigger
500 requirements are placed on the samples. As the mass distributions all peak outwith the
501 range of interest we conclude that such cross feed between the $\Lambda_c^+ \rightarrow phh'$ modes is not a
502 concern.



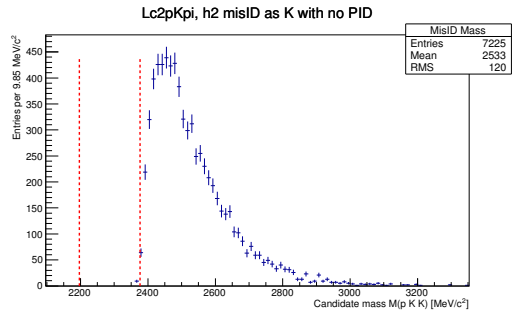
(a) $\Lambda_c^+ \rightarrow pK^-K^+, K^- \rightarrow \pi^-$



(b) $\Lambda_c^+ \rightarrow p\pi^-\pi^+\pi^- \rightarrow K^-$



(c) $\Lambda_c^+ \rightarrow pK^-\pi^+, K^- \rightarrow \pi^-$



(d) $\Lambda_c^+ \rightarrow pK^-\pi^+, \pi^+ \rightarrow K^+$

Figure 1.16: The mass distributions of simulated $\Lambda_c^+ \rightarrow phh'$, with the wrong mass hypothesis forced on one of the daughter mesons. The mass window indicated in red is that applied in the $\Lambda_c^+ \rightarrow phh'$ stripping. The selection applied is a version of the stripping with all PID cuts removed, and no trigger requirements have been made.

1.4.3 Reassigning mass hypotheses in data

As a more direct check we reassign the mass hypotheses of the daughter particles in the prompt $\Lambda_c^+ \rightarrow phh'$ data, to those mass hypotheses which correspond to the final states of all possible D reflections. We show an example of these checks for $\Lambda_c^+ \rightarrow pK^-\pi^+$ with the proton mass hypothesis changed to a kaon in Figure 1.17. No sharply peaking structures at either the D^+ or D_s^+ mass are found in any of the $\Lambda_c^+ \rightarrow phh'$ data. We take this as evidence that our final datasets correspond to only candidates which are genuine Λ_c signal and candidates which are formed from unrelated tracks, and that reflection misreconstructions of D decays are sufficiently suppressed in our selections.

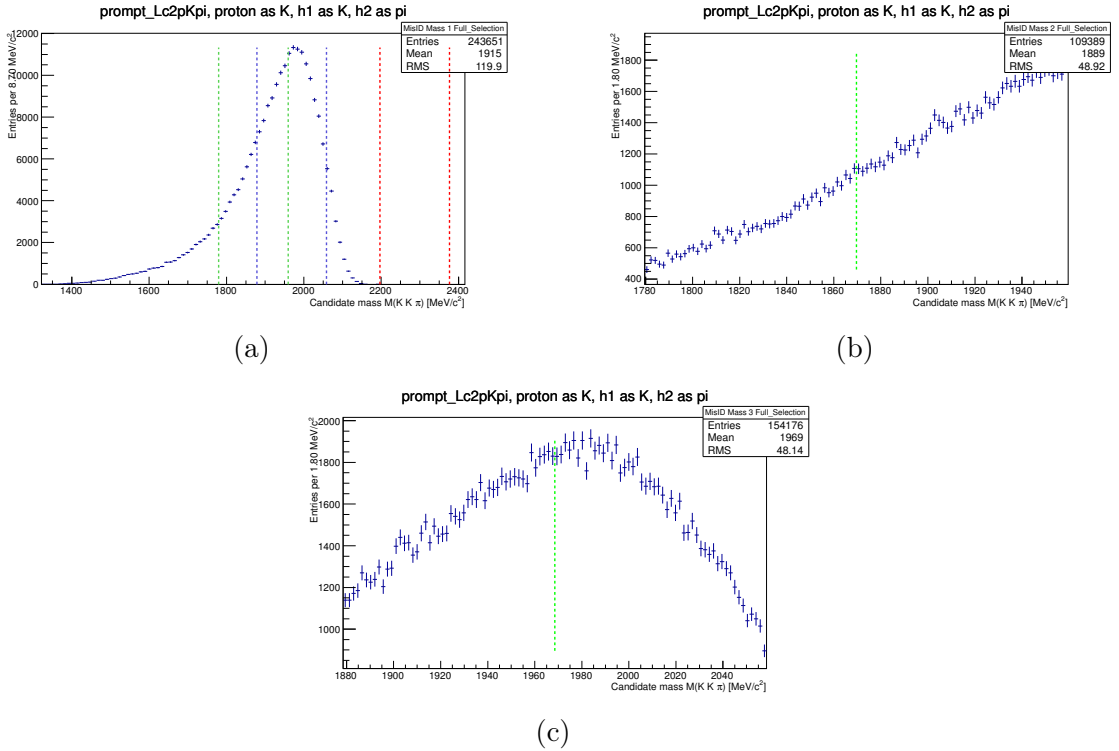


Figure 1.17: The candidate mass distribution of prompt $\Lambda_c^+ \rightarrow pK^-\pi^+$ data after final selection, where the p mass hypothesis is changed to that of the K^+ . Shown in (a) is the whole mass distribution, with the D^+ mass region denoted in green with a zoom of this region in (b) and the D_s^+ mass region denoted in blue with a zoom of this region in (c). This probes for the presence of reflections from mis-identified $D^+/D_s^+ \rightarrow K^+K^-\pi^+$.

1.4.4 Summary

The likely peaking backgrounds from misidentified $D^+ \rightarrow hhh/D_s^+ \rightarrow hhh$ and $\Lambda_c^+ \rightarrow phh'$ decays have been investigated. We do not also explicitly investigate the case of partially reconstructed $D^+ \rightarrow hhhh^0/D_s^+ \rightarrow hhhh^0$ - the missing neutral particle's momentum

516 will result in mass distributions which are lower compared to those resulting from mis-
 517 identification of fully reconstructed charged D decays. The variation in the missing neutral's
 518 momentum will also result in a higher smearing of the mass distributions. The branching
 519 fractions of four-body D decays are generally significantly lower than their three-body
 520 counterparts, leading to further suppression of possible candidates resulting from this mis-
 521 reconstruction. These factors indicate that any cross-feed from $D^+ \rightarrow hhhh^0/D_s^+ \rightarrow hhhh^0$
 522 decays will be less significant than in the case of $D^+ \rightarrow hhh/D_s^+ \rightarrow hhh$ decays.

523 Our investigations using simulated data of the mass shapes indicate that distributions
 524 of any prominent reflections should be approximately linear across the Λ_c signal region.
 525 Our estimations using simulation of reflection yields passing the prompt selection place
 526 estimates on the number of D^+ reflections passing the selection. These numbers are of
 527 the order 10^3 , although the errors on these estimates are of order 35 %. We are only able
 528 to place conservative upper limits on D_s^+ reflections using simulation of 10^5 . As such we
 529 investigate the mass shapes of our real data with candidate mass hypotheses reassigned.
 530 We find no evidence of D reflection backgrounds contaminating our final data sets.

531 We do not explicitly investigate the corresponding cases of misidentified $D^0 \rightarrow hhhh$
 532 decays where one charged daughter is not reconstructed. The features of the prompt
 533 selection which make it so robust against charged D reflections also make it robust against
 534 partial reconstruction of neutral D mesons. The only difference between the two is that the
 535 reconstructed charged daughter kinematics will be lower in the case of neutral D decays
 536 due to the missing charged daughter's missing momentum. Our selection should therefore
 537 have a lower efficiency in the selection of these candidates compared to the investigated
 538 charged D decays due to the minimum daughter momentum requirements. While the
 539 measured cross section for D^0 is higher than that of D^+ or D_s^+ , we still estimate that the
 540 number of reflection candidates from these sources is negligible.

541 We investigate cross-feed between the $\Lambda_c^+ \rightarrow phh'$ modes. In single mis-ID cases we
 542 expect this to be negligible due to the shifting of the reconstructed candidate mass outside
 543 the signal mass window. *Comment on double-mis ID will be here when we have the DCS*
 544 *distributions.*

545 We conclude that the only relevant background in the prompt analysis will be non-
 546 peaking combinations of unrelated tracks. This informs our choice of fit model, outlined
 547 in Section ??.

548 1.5 Semileptonic backgrounds

549 Herein we discuss the potential backgrounds in the main semileptonic TOS analysis.

550 1.5.1 Mis-ID in Λ_c decays

551 As in the case of the prompt analysis, we investigate cross-feed between the $\Lambda_c^+ \rightarrow phh'$
552 decay modes.

553 Single mis-ID

554 The case of a single daughter mis-identification, as in the prompt analysis, results in mass
555 distributions outside of the signal region. These cases are shown in Figure 1.18, where no
556 PID or trigger requirements are placed on the samples. As the mass distributions all peak
557 outwith the range of interest we conclude that such cross feed between the $\Lambda_c^+ \rightarrow phh'$
558 modes is not a concern.

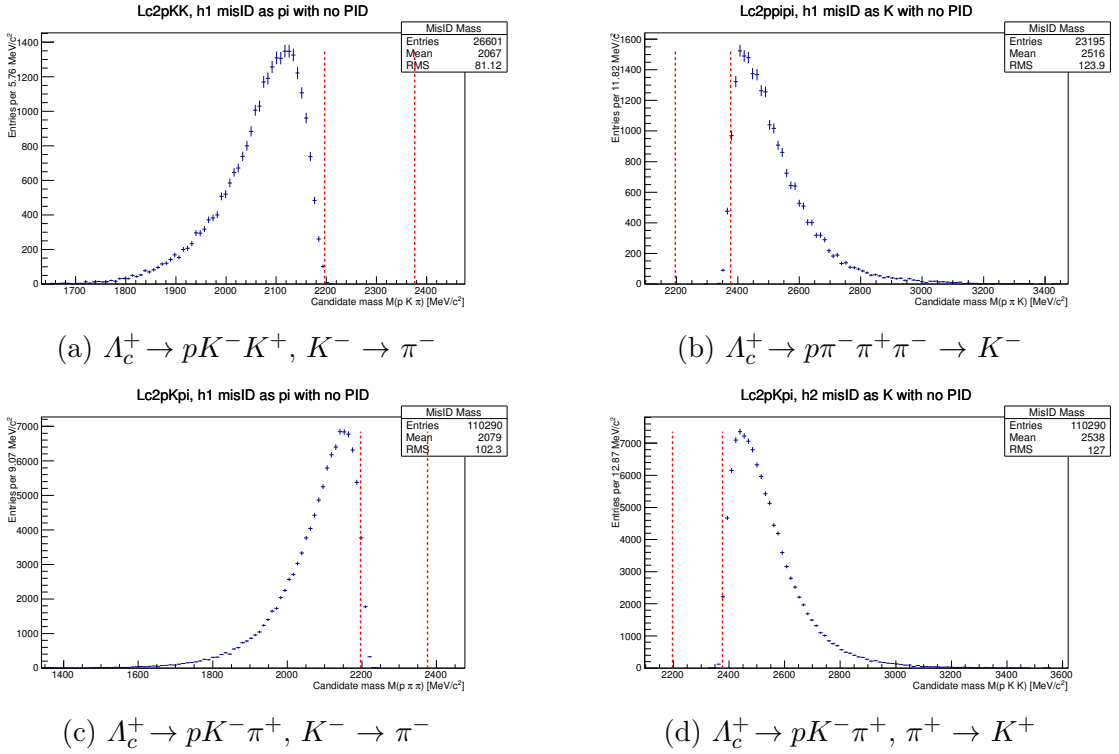


Figure 1.18: The mass distributions of simulated $\Lambda_b^0 \rightarrow \Lambda_c^+ \mu^- \bar{\nu}_\mu$, $\Lambda_c^+ \rightarrow phh'$, with the wrong mass hypothesis forced on one of the daughter mesons. The mass region indicated in red is that applied in the $\Lambda_b^0 \rightarrow \Lambda_c^+ \mu^- \bar{\nu}_\mu$, $\Lambda_c^+ \rightarrow phh'$ stripping. The selection applied is a version of the stripping with all PID cuts removed, and no trigger cuts have been applied.

559 Double mis-ID

560 As in the prompt analysis, we investigate the case of double mis-ID in the Cabibbo favoured
 561 mode, where both daughter mesons are incorrectly identified. The full mass distribution
 562 of these candidates and a close-up of the Λ_c mass window in the stripping selection is
 563 shown in Figure 1.19, where no PID or trigger requirements have been placed on the
 564 reconstructed candidates.

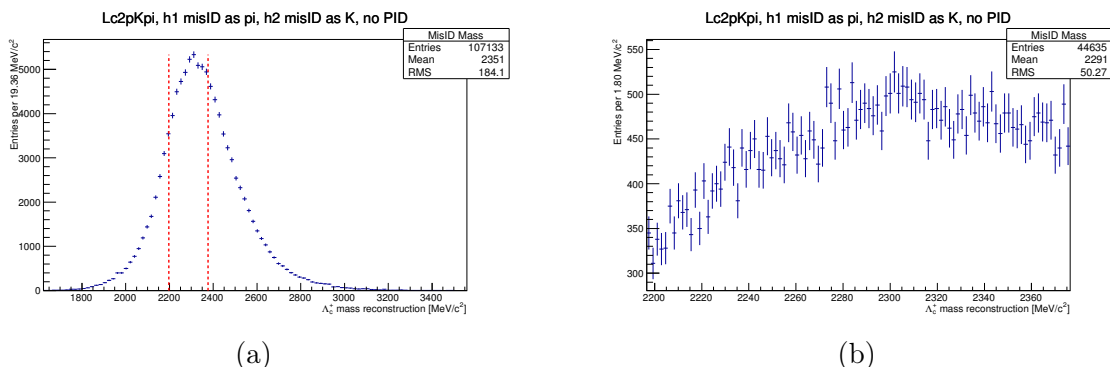


Figure 1.19: The mass distributions of simulated $\Lambda_b^0 \rightarrow \Lambda_c^+ \mu^- \bar{\nu}_\mu, \Lambda_c^+ \rightarrow pK^- \pi^+$, with the wrong mass hypothesis forced on both of the daughter mesons. The mass region indicated in red in (a) is that applied in the $\Lambda_b^0 \rightarrow \Lambda_c^+ \mu^- \bar{\nu}_\mu, \Lambda_c^+ \rightarrow phh'$ stripping, (b) shows just this region. The selection applied is a version of the stripping with all PID cuts removed, and no trigger cuts have been applied.

565 1.5.2 Reassigning mass hypotheses in data

566 As a more direct check we reassign the mass hypotheses of the daughter particles on the
 567 semileptonic $\Lambda_c^+ \rightarrow phh'$ data to check for sharply peaking structures, which would be
 568 indicative of D reflections surviving the selection. No structures are observed. We show
 569 an example of these checks for $\Lambda_c^+ \rightarrow pK^- \pi^+$ with the proton mass hypothesis changed to
 570 a kaon in Figure 1.20.

571 1.5.3 Summary

572 It was considered unnecessary to investigate in simulation the case whereby a
 573 $\bar{B}^0 \rightarrow D^+ \mu^- \bar{\nu}_\mu, D^+ \rightarrow hhh$ decay is mis-reconstructed as the charge conjugate of a
 574 $\Lambda_b^0 \rightarrow \Lambda_c^+ \mu^- \bar{\nu}_\mu, \Lambda_c^+ \rightarrow phh'$ decay. The shape of the candidate mass spectra resulting from
 575 such a mis-ID should be similar to the equivalent reflections in the prompt analysis. Despite
 576 the higher TOS trigger efficiencies of D mesons and the lower PID cuts no evidence of
 577 reflections from $\bar{B}^0 \rightarrow D^+ \mu^- \bar{\nu}_\mu, D^+ \rightarrow hhh$ decays was found in checks with the real data.
 578 As such we assume that our selection suppresses reflections from other charm decays such

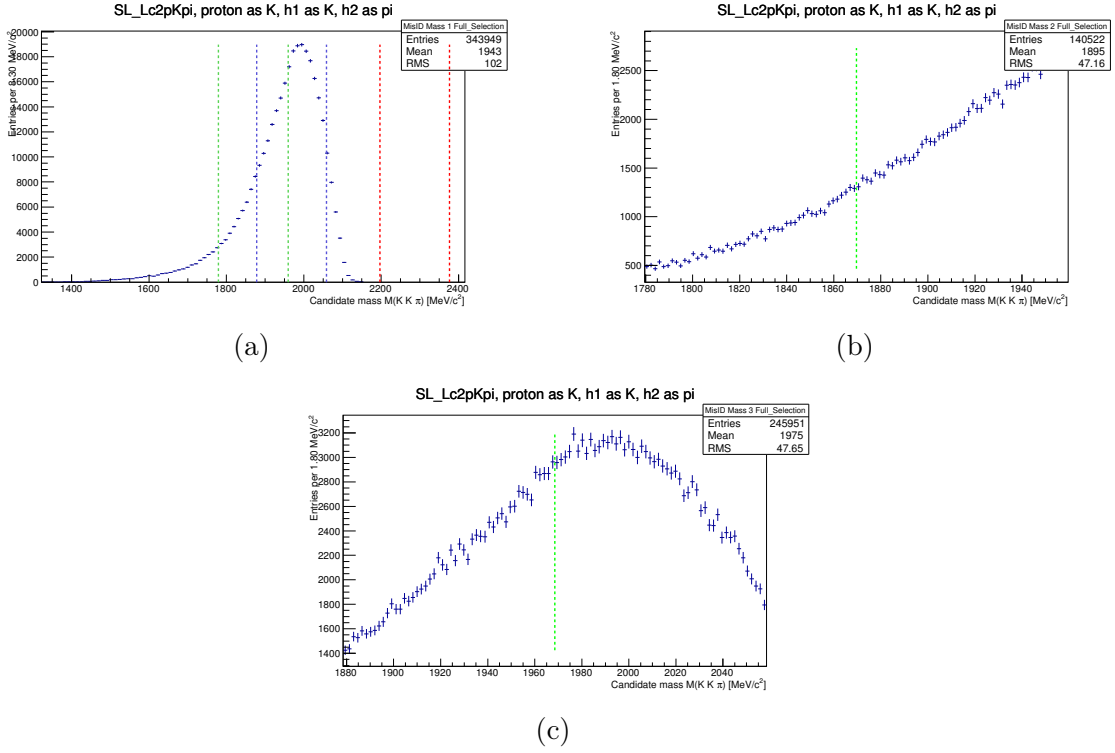


Figure 1.20: The mass distribution of SL $A_c^+ \rightarrow pK^-\pi^+$ data after final selection, where the p has been mis-identified as a K^+ . Shown top is the whole mass distribution, with the D^+ mass region denoted in green (bottom left plot) and the D_s^+ mass region denoted in blue (bottom right plot). This probes for the presence of reflections from mis-identified $D^+/D_s^+ \rightarrow K^+K^-\pi^+$.

579 that they are negligible. Upon unblinding the DCS mode we will investigate the mass
 580 distributions of double mis-ID candidates to check for contamination.

581 The conclusions we make regarding the SL backgrounds are broadly similar to those
 582 we state for the prompt in Section 1.4.4. We conclude that we have through examination
 583 of simulated and real data shown that our selections sufficiently suppress the backgrounds
 584 under consideration to a level whereby they may be considered negligible in the semileptonic
 585 analysis.

586 Bibliography

- 587 [1] Particle Data Group, J. Beringer *et al.*, *Review of particle physics*, Phys. Rev. **D86**
588 (2012) 010001.
- 589 [2] E791 Collaboration, E. Aitala *et al.*, *Multidimensional resonance analysis of*
590 $\Lambda_c^+ \rightarrow pK^-\pi^+$, Phys. Lett. **B471** (2000) 449, [arXiv:hep-ex/9912003](#).
- 591 [3] ACCMOR Collaboration, A. Bozek *et al.*, *A Study of Λ_c^+ decays into $pK^-\pi^+$,*
592 $pK^-\pi^+\pi^0$ and $pK^-\pi^+\pi^0\pi^0$, Phys. Lett. **B312** (1993) 247.
- 593 [4] M. Basile *et al.*, *A Measurement of two resonant contributions in the Λ_c^+ branching*
594 *ratios*, Nuovo Cim. **A62** (1981) 14.
- 595 [5] ACCMOR Collaboration, S. Barlag *et al.*, *Measurement of frequencies of various*
596 *decay modes of charmed particles D^0 , D^+ , D_s^+ and Λ_c^+ including the observation of*
597 *new channels*, Z. Phys. **C48** (1990) 29.
- 598 [6] Belle Collaboration, K. Abe *et al.*, *Observation of Cabibbo suppressed and W exchange*
599 Λ_c^+ *baryon decays*, Phys. Lett. **B524** (2002) 33, [arXiv:hep-ex/0111032](#).
- 600 [7] CLEO Collaboration, J. Alexander *et al.*, *Observation of the Cabibbo sup-*
601 *pressed charmed baryon decay $\Lambda_c^+ \rightarrow p\phi$,* Phys. Rev. **D53** (1996) 1013,
602 [arXiv:hep-ex/9508005](#).
- 603 [8] FOCUS Collaboration, J. Link *et al.*, *Search for $\Lambda_c^+ \rightarrow pK^+\pi^-$ and $D_s^+ \rightarrow K^+K^+\pi^-$*
604 *using genetic programming event selection*, Phys. Lett. **B624** (2005) 166,
605 [arXiv:hep-ex/0507103](#).
- 606 [9] LHCb collaboration, A. A. Alves Jr. *et al.*, *The LHCb detector at the LHC*, JINST **3**
607 (2008) S08005.
- 608 [10] D. J. Lange, *The EvtGen particle decay simulation package*, Nucl. Instrum. Meth.
609 **A462** (2001) 152.
- 610 [11] M. Needham, *Clone track identification using the Kullback-Liebler distance*, .
- 611 [12] M. Pivk and F. L. Diberder, *A statistical tool to unfold data distributions*, Nuclear
612 *Instruments and Methods in Physics Research Section A: Accelerators, Spectrometers,*
613 *Detectors and Associated Equipment* **555** (2005), no. 1â&S2 356 .

- 614 [13] W. D. Hulsbergen, *Decay chain fitting with a Kalman filter*, Nucl. Instrum. Meth.
615 **A552** (2005) 566, [arXiv:physics/0503191](#).
- 616 [14] L. Breiman, J. Friedman, R. Olshen, and C. Stone, *Classification and Regression*
617 *Trees*, Wadsworth and Brooks, Monterey, CA, 1984. new edition [?]?
- 618 [15] L. Breiman, J. H. Friedman, R. A. Olshen, and C. J. Stone, *Classification and regression*
619 *trees*, Wadsworth international group, Belmont, California, USA, 1984.
- 620 [16] R. E. Schapire and Y. Freund, *A decision-theoretic generalization of on-line learning*
621 *and an application to boosting*, Jour. Comp. and Syst. Sc. **55** (1997) 119.
- 622 [17] A. Hoecker *et al.*, *TMVA: Toolkit for Multivariate Data Analysis*, PoS **ACAT** (2007)
623 040, [arXiv:physics/0703039](#).
- 624 [18] J. Massey, Frank J., *The Kolmogorov-Smirnov Test for Goodness of Fit*, Journal of
625 the American Statistical Association **46** (1951), no. 253 pp. 68.
- 626 [19] CLEO Collaboration, S. Dobbs *et al.*, *Measurement of absolute hadronic branching*
627 *fractions of D mesons and $e^+ e^- \rightarrow D$ anti-D cross-sections at the $\psi(3770)$* , Phys.
628 Rev. **D76** (2007) 112001, [arXiv:0709.3783](#).
- 629 [20] CLEO Collaboration, P. Onyisi *et al.*, *Improved Measurement of Absolute Hadronic*
630 *Branching Fractions of the D_s^+ Meson*, Phys. Rev. **D88** (2013), no. 3 032009,
631 [arXiv:1306.5363](#).
- 632 [21] Belle Collaboration, A. Zupanc *et al.*, *Measurements of branching fractions of leptonic*
633 *and hadronic D_s^+ meson decays and extraction of the D_s^+ meson decay constant*, JHEP
634 **1309** (2013) 139, [arXiv:1307.6240](#).
- 635 [22] LHCb collaboration, R. Aaij *et al.*, *Prompt charm production in pp collisions at \sqrt{s}*
636 *= 7 TeV*, Nucl. Phys. **B871** (2013) 1, [arXiv:1302.2864](#).